# Examining High-Frequency Patterns in Robinhood Users' Trading Behavior* 

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#### Abstract

We examine Robinhood (RH) investors' intraday and overnight trading behaviors in response to high-frequency price movements and identify three patterns: (i) a strong reaction to extreme price movements, (ii) an asymmetric attitude toward extreme movers with a preference for big losers over big gainers, and (iii) a rapid response to negative price movements. Contrasting these high-frequency behaviors with those found in the previous literature based on daily data, we reveal that the asymmetry is underestimated with daily data. We also uncover new insights on reaction speed, measured in hours, which cannot be assessed at the daily level. The relevance of the high-frequency analysis aligns with the ultra-connected profile that characterizes most of the RH investors community. Further analyses suggest greater (lower) attention to overnight (intraday) movements and exacerbated behaviors during the COVID-19 pandemic. Moreover, these trading behaviors vary significantly across firm size and industry, with a more contrarian strategy towards larger-cap firms and a heightened activity on energy and consumer discretionary stocks.

Keywords: Attention-Induced Trading, Robinhood, Retail Investors, High-Frequency Data, Reaction Speed, FinTech JEL: G11, G14, G40, G41, G53


[^0]
## 1. Introduction

Retail participation in the stock market has increased significantly in recent years, with individual investors accounting for over $40 \%$ of total trades in the first quarter of 2021 in the United States. This trend is attributed to the rise of new FinTech commissionfree trading platforms such as Robinhood (RH). These platforms made investing more accessible and attracted a new demographic of investors. ${ }^{1}$ As the importance of this new type of investors in financial markets increases and poses challenges for regulators and market participants (e.g., Fisch, 2022), a growing body of recent literature analyzes their trading behaviors and influence on the market. In particular, Barber et al. (2022), Welch (2022), and Fedyk (2022) analyze trading behaviors of RH investors at the daily frequency. ${ }^{2}$

However, recent studies show that this new type of retail investors adopt "a significantly higher trading frequency, but on smaller orders than those found for the clients of the other categories of intermediaries" (Chatillon et al., 2021) and have intensified intraday trading activities following high levels of Google searches (Meshcheryakov and Winters, 2022). In other words, this new type of retail investors tend to be more connected to markets than traditional retail investors and have easier and faster access to information, which allows them to react faster to new information. Furthermore, the features of the RH smartphone app, such as sending notifications, might make these investors more active throughout the day. Given these facts, we expect them to exhibit distinct trading behaviors at time intervals more granular than the daily frequency used in the existing literature.

In this paper, we fill this gap in the literature and analyze the reaction of RH investors

[^1]to intraday hourly and overnight price movements. ${ }^{3}$ We identify three major behavioral trading patterns. First, RH investors tend to react strongly to stocks exhibiting extreme price movements, opening new positions in these stocks at a higher rate than in those with more moderate price movements. Second, we identify a strong asymmetry in their reactions to intraday hourly and overnight extreme returns. Specifically, RH investors favor big losers over big gainers. Third, we analyze the speed of their reactions to extreme movements and find that they are particularly quick to react to extreme negative price movements, typically opening new positions in these stocks within the first hour after observing the movement.

To obtain these results, we rely on two main data sources. First, we use the Robintrack data on the number of RH investors holding a specific stock at a particular time. The original database from Robintrack comprises over 140 million observations that are approximately one-hour spaced on more than 8,000 distinct securities. Second, we obtain high-frequency transaction prices from the NYSE Trade and Quote (TAQ) Daily Product to compute hourly intraday and overnight returns, which we match to the Robintrack observations. After merging the two databases and keeping only common stocks, we obtain a panel of stock-day-time observations including over 2,500 stocks from June 2018 to August 2020, resulting in more than seven million observations. In our main framework, we regress the (log-) change in the number of RH users holding a given stock on the corresponding contemporaneous and past intraday hourly or overnight volatility-adjusted returns grouped into percentile ranges while also controlling for a few other factors, including market returns. This allows us to analyze the propensity of RH investors to open new positions after observing intraday hourly and overnight price movements of different signs and magnitudes. ${ }^{4}$

While the first high-frequency behavior we identify - RH investors react strongly to

[^2]extreme returns by opening new positions in these stocks - is in line with existing studies based on daily data, our higher-frequency analysis reveals important differences regarding at least two other types of trading behavior.

First, our high-frequency results suggest that an analysis at the daily level misestimates or underestimates the asymmetry associated with the strong reaction of RH investors to extreme returns. In fact, while our high-frequency results demonstrate a strong asymmetry in favor of the top losers over the top gainers, current daily-based studies suggest either an asymmetry in the other direction (Welch, 2022), no asymmetry (Barber et al., 2022), or only a weak asymmetry in the same direction as our study (Fedyk, 2022). More precisely, Welch (2022) finds that RH investors react to previous day's extreme price movements and that this effect is stronger for large stock price increases than for large price decreases. Barber et al. (2022) find that RH investors do not exhibit any asymmetry in their reaction on day $t$ to either previous overnight (close on day $t-1$ to open on day $t$ ) or contemporaneous daily (close on day $t-1$ to close on day $t$ ) extreme returns since they tend to open new positions at the same rate for top gainers and losers. ${ }^{5}$ Fedyk (2022) finds that RH investors invest relatively more after observing extreme negative returns than after extreme positive returns in the previous day. Although this finding based on daily data aligns with our high-frequency findings, the magnitude of this asymmetry is only $17 \%$ of the magnitude of their reaction to extreme returns, while our high-frequency setting suggests a magnitude of about $85 \%$.

The high-frequency nature of our analysis allows us to understand why we observe an asymmetric reaction to extreme returns at the hourly frequency but not at the daily frequency. Indeed, we find that this asymmetry tends to gradually decline over the hours, to almost completely disappear after five hours. More precisely, our results suggest a possible overreaction to extreme negative returns as RH investors open new positions in top losers at a very high rate in the first hour, which then gradually declines in the

[^3]following hours. On the other hand, RH investors possibly underreact to extreme positive returns as they open new positions in top gainers at a relatively low rate in the first hour, which then gradually increases in the following hours. Since the reaction to extreme returns becomes almost symmetrical after five hours, this can explain why we do not observe this pattern at the daily level. Put differently, our results, while not refuting the current results based on daily data, suggest that the daily frequency is too coarse of a frequency to analyze the behavior of these ultra-connected investors.

Second, the high-frequency framework allows us to identify the speed of RH investors' reaction to extreme returns, which is not possible using daily data. We find that, while RH investors do not or cannot react contemporaneously to extreme price movements, they react fast nonetheless. For example, we observe that most of the new position openings in reaction to a large negative price movement occur within the first hour of observing this movement. Such a result cannot be captured using daily data.

We also contribute to the literature by investigating how these behaviors vary depending on the type of price movement, company size, industry, and before and after COVID-19. Motivated by previous studies such as Berkman et al. (2012), Lou et al. (2019) and Jones et al. (2022), we start our analysis by distinguishing between intraday hourly and overnight price movements. Berkman et al. (2012) show that "high-attention stocks have high levels of net retail buying at the start of the trading day." Lou et al. (2019) argue that there exists an "intraday clientele" and an "overnight clientele." Jones et al. (2022) examine morning order imbalances in relation to previous day-time (close-to-open) and overnight returns. We find that RH investors' behaviors described above are much more pronounced for overnight returns. The inclination of RH investors to open more new positions in stocks that exhibit extreme returns is approximately thirty times larger when this large movement occurs overnight as opposed to during trading hours. In addition, the asymmetry of response is stronger after an overnight movement compared to an intraday movement, indicating that RH investors tend to open more (fewer) new positions in overnight (intraday) big losers relative to overnight (intraday) big gainers. Finally, the fast reaction to large negative movements is also more pronounced for
overnight returns. Hence, RH investors are faster at opening new positions in stocks that exhibit large negative overnight movements compared to those that exhibit such movements during trading hours.

Then, we focus on the effect of the COVID-19 pandemic on RH investors' intraday trading behaviors. Consistent with the findings of Ozik et al. (2021), we observe that RH investors' buying activity increased in the post-COVID period. Our results also show that, in the six months following the announcement of the global pandemic, RH investors' buying behavior towards extreme movers intensified, and their reaction speed to large downward movements also increased.

We also find important variations in the trading attitudes of RH investors across the firm size. RH investors tend to purchase both big losers and gainers within the small-cap segment. For large-caps, their behavior leans more towards a predominantly contrarian approach, as they primarily focus on buying the big losers. Stated differently, the asymmetry of their purchase behavior towards extreme movers is significantly more pronounced for the larger firms. They also exhibit an accelerated reaction speed to large negative movements of large-cap stocks compared to small-cap stocks. At the daily level, Fedyk (2022) also highlights the propensity of RH investors to invest in large stocks that have experienced a negative extreme return but does not find this effect for smallcap stocks. Previous research studying behavioral trading patterns of retail investors in relation to firm size has highlighted the presence of stronger herding behavior among individual investors for small stocks (e.g., Venezia et al., 2011; Hsieh et al., 2020). Other studies have shown that individuals have a comparative advantage in trading small-cap stocks (e.g., Kelley and Tetlock, 2013; Jirajaroenying et al., 2019). Expanding upon this literature, our study contributes new insights into the impact of firm size on the key high-frequency trading behaviors exhibited by RH investors.

Finally, we examine how these behaviors vary by industry and find that stocks from the energy and, to a lesser extent, consumer discretionary sectors tend to exhibit stronger behaviors. Specifically, RH investors tend to open more new positions in energy or consumer discretionary stocks when they exhibit extreme price movements. Their tilt
toward the big losers is also more pronounced for firms in these two sectors. Finally, they respond more quickly to sharply declining energy stocks.

The paper is organized as follows. Section 2 presents the data and the variables used in our analyses. Section 3 introduces the methodology and discusses the main empirical findings. Section 4 presents the conditional analyses of RH users' behaviors. Section 5 discusses robustness tests, and Section 6 concludes.

## 2. Data and Variable Definitions

### 2.1. Data

From May 2018 to August 2020, Robintrack relied on Robinhood's API to collect data on the number of investors holding a specific stock at a specific time and then shared this information publicly through their website www.robintrack.net. Following Barber et al. (2022) and Welch (2022), we use this data to proxy for RH investors' trading behavior-in particular, Barber et al. (2022) provide empirical evidence that the change in the number of RH users holding a stock is positively related with the net buying (order imbalance) for that stock computed using Trade and Quote (TAQ) data set. Compared to these studies, however, we consider intraday and overnight observations rather than daily observations. We denote by $N_{i, t_{i, k}}$ the number of RH investors holding security $i$ at time $t_{i, k}$, where $k$ is an index indicating the $k$ th observation for stock $i$.

The original time provided by Robintrack indicates when data were retrieved from the Robinhood platform. However, as mentioned in Barber et al. (2022) and confirmed by our discussions with the administrator of Robintrack, Casey Primovic, there is a delay of approximately 45 minutes between the actual observation time and retrieval time. For instance, a data point with an original time of 10.45 am represents a snapshot of the data at approximately 10 am . To ensure accuracy and work with observation times, we thus subtract 45 minutes from all timestamps $t_{i, k} .{ }^{6}$

[^4]For price data, we use high-frequency transaction prices from the NYSE Trade and Quote (TAQ) Daily Product. We match all RH users' holdings observations $N_{i, t_{i, k}}$ to the last trade price available of stock $i$ before time $t_{i, k}$. Similarly, we also match the $N_{i, t_{i, k}}$ observations to the last trade price available of the SPDR S\&P 500 ETF (SPY), our market proxy. ${ }^{7}$

The original database from Robintrack comprises over 140 million observations that are approximately one-hour spaced on more than 8,000 securities. To ensure data quality, we apply several adjustments. We follow Welch (2022) and drop the first month of the original period. We focus on observations during market-opening hours to match RH users' holdings and trade prices ( $9.30 \mathrm{am}-4 \mathrm{pm}$ ). We only consider common stocks (CRSP share codes of 10 or 11). We identify and remove dual-class tickers that are not named correctly in the Robintrack datasets and adjust for repeated intra-hour observations. A detailed list of our adjustments is provided in the online appendix. Our final sample contains over 7.5 million observations on 2,583 stocks and 527 trading days from June 1, 2018, to August 13, 2020.

### 2.2. Variable Definitions

Our primary variable of interest is the change in the number of RH users holding a given stock between two consecutive observations. This variable, which we refer to as "position openings," is a proxy for the aggregate trading behavior of RH users concerning a given stock. A positive value means that more RH users have opened new positions than closed existing positions in the stock. Formally, it is defined as

$$
\Delta N_{i, t_{i, k}}= \begin{cases}\log \left(\frac{N_{i, t_{i, k}}}{N_{i, t}, t_{i, k-1}}\right) \times S F_{I N T} & \text { for an intraday change }  \tag{1}\\ \log \left(\frac{N_{i, t_{i, k}}}{N_{i, t_{i, k-1}}}\right) \times S F_{O V} & \text { for an overnight change }\end{cases}
$$

where we previously add one to all original $N_{i, t_{i, k}}$ entries. ${ }^{8}$ An intraday change is

[^5]approximately a one-hour change between two consecutive observations of $N_{i, t_{i, k}}$ of the same day. An overnight change corresponds to a change between the last observation of $N_{i, t_{i, k}}$ before the closing time of a trading day and the first observation of $N_{i, t_{i, k}}$ after the opening time of the next trading day. For consistency and to facilitate comparisons between intraday and overnight returns, we convert these two types of change into daily units using the scaling factors $S F_{I N T}$ and $S F_{O V}$. We assume that a full day is the addition of two (equally-weighted) parts: overnight and intraday. In the top equation, $S F_{I N T}=$ $\frac{60}{M N T\left(t_{i, k-1}, t_{i, k}\right)} \times 6.5 \times 2$. The first term normalizes the change to an exactly one-hour period where $M N T\left(t_{i, k-1}, t_{i, k}\right)$ is the number of minutes between the consecutive times $t_{i, k-1}$ and $t_{i, k}$. The second term converts this hourly change into a "total day-time" (from open to close time) change as the market is open during 6.5 hours. The last term converts this total day-time change into a full-day change. Similarly, in the bottom equation, $S F_{O V}=2$ converts the overnight change into a full-day change.

To compute intraday and overnight stock returns, we proceed similarly and define

$$
R_{i, t_{i, k}}= \begin{cases}\log \left(\frac{P_{i, t_{i, k}}}{P_{i, t_{i, k-1}}}\right) \times S F_{I N T} & \text { for an intraday return }  \tag{2}\\ \log \left(\frac{P_{i, t_{i, k}}}{P_{i, t_{i, k-1}}}\right) \times S F_{O V} & \text { for an overnight return }\end{cases}
$$

where $P_{i, t_{i, k}}$ is the price of stock $i$ at time $t_{i, k}$. As in (1), we use the scaling factors $S F_{I N T}$ and $S F_{O V}$ to convert the returns into daily units.

In our analyses, we will pay special attention to extreme movements. To capture them, we adjust returns (2) using a standardization procedure based on a daily volatility estimator. As advocated by Andersen et al. (2011) and, more recently, Santos et al. (2022), we use a dedicated estimator to normalize the intraday and overnight returns separately. For intraday returns, we use the five-minute ticks subsampling realized volatility estimator developed by Zhang et al. (2005). Subsampling at the five-minute frequency
logarithm to zero values. It allows us to keep observations where the user count goes from zero to positive, yielding a "valid" result of $\log \left(\frac{\text { Original } N_{i, t_{i, k}}+1}{0+1}\right)$ instead of $\log \left(\frac{\text { Original } N_{i, t_{i, k}}}{0}\right)$, or from positive to zero, yielding a "valid" result of $\log \left(\frac{0+1}{\text { Original } N_{i, t_{i, k-1}}+1}\right)$ instead of $\log \left(\frac{0}{\text { Original } N_{i, t_{i, k-1}}}\right)$.
makes consensus in the literature (e.g., Liu et al., 2015). For overnight returns, we employ a GJR-GARCH $(1,1)$ estimator (Glosten et al., 1993) computed on the series of stock $i$ overnight returns. To be consistent with the non-standardized returns $R_{i, t_{i, k}}$ expressed in daily terms, we convert these two volatility estimators to a full-day scale as well, using the multiplying factor $\sqrt{2}$. Denoting the respective estimators as $\hat{\sigma}_{i, d\left(t_{i, k}\right)}^{R V}$ and $\hat{\sigma}_{i, d\left(t_{i, k}\right)}^{G J R}$ where $d\left(t_{i, k}\right)$ designs the day corresponding to timestamp $t_{i, k}$, we define our standardized returns as follows:

$$
r_{i, t_{i, k}}=\left\{\begin{array}{cl}
R_{i, t_{i, k}} / \hat{\sigma}_{i, d\left(t_{i, k}\right)}^{R V} & \text { for an intraday return }  \tag{3}\\
R_{i, t_{i, k}} / \hat{\sigma}_{i, d\left(t t_{i, k}\right)}^{G J R} & \text { for an overnight return }
\end{array}\right.
$$

Table 1 presents summary statistics on our main variables. These statistics are computed over the complete sample of stock and day-time observations. Panel A shows that the number of open positions increases on average by $0.29 \%$ per day. One reason that makes this average positive is the success of Robinhood. The number of RH users was almost constantly increasing during our sample period, and when a new user registers, she opens new positions to build her portfolio. However, the median change is zero as an important number of observations remain unchanged over an hour or overnight. Comparing intraday and overnight activities reveals that, while the respective averages are relatively close at approximately 28 and 34 bps , RH users' trading behavior tends to be more dispersed within the day than overnight. Panel B reports results for the standardized returns. The distribution of intraday and overnight returns are both centered around zero. Compared to overnight returns, the intraday returns series appears less dispersed, but its 5 th and 95 th percentiles suggest wider tails. ${ }^{9}$

$$
\text { [Insert Table } 1 \text { about here.] }
$$

Since we aim to differentiate the trading behaviors of RH investors in response to movements of different magnitudes - notably the extreme negative and positive ones-

[^6]we classify the standardized returns into six groups based on percentiles and zero-return that form the following partition of $\mathbb{R}: \mathcal{G}_{1}=\left[-\infty, 5 \%\left[, \mathcal{G}_{2}=\left[5 \%, 25 \%\left[, \mathcal{G}_{3}=[25 \%, 0[\right.\right.\right.\right.$, $\mathcal{G}_{4}=\left[0,75 \%\left[, \mathcal{G}_{5}=\left[75 \%, 95 \%\left[, \mathcal{G}_{6}=[95 \%, \infty]\right.\right.\right.\right.$. The percentile cutoffs are formed using all standardized return observations, that is, all stock and day-time observations. To define a clear separation between negative and positive returns, groups $\mathcal{G}_{3}$ and $\mathcal{G}_{4}$ are based on a "hard cutoff" corresponding to a zero return. Note that this zero-cutoff is also the median of the sample, so it would be equivalent to denote these two groups as [ $25 \%, 50 \%$ [ and $\left[50 \%, 75 \%\left[\right.\right.$. Table 2 details this classification by groups. $\mathcal{G}_{1}$ contains the most extreme negative standardized returns that are below -5.14 . By construction, it corresponds to $5 \%$ of all observations or 389,298 returns. Among these observations, 371,551 are intraday returns, and 17,747 are overnight returns. Group $\mathcal{G}_{3}$ contains all (negative) returns that are between the 25 th quantile $(-1.69)$ and zero. Group $\mathcal{G}_{4}$ contains all (non-negative) returns that are between zero and the 75 th quantile (1.69). All returns in the most extreme positive returns group $\left(\mathcal{G}_{6}\right)$ have values superior or equal to 5.03 .
[Insert Table 2 about here.]

## 3. The Reaction of RH Investors to High-Frequency Price Movements

This section presents our main empirical results analyzing how RH investors respond to intraday hourly and overnight price movements. To this end, we first present the methodological framework. We then discuss the three key behaviors exhibited by RH investors revealed by our results.

### 3.1. Methodological Framework

We aim to assess how our proxy for RH investor's trading behavior, the RH users' position openings $\Delta N_{i, t_{i, k}}$, changes as a function of past intraday hourly and overnight standardized returns $r_{i, t_{i, k-L}}$ categorized into groups $\mathcal{G}_{g}$ defined above. Formally, we estimate the following six separate specifications:

$$
\begin{equation*}
\Delta N_{i, t_{i, k}}=\sum_{g=1}^{6} \beta_{g}^{(L)} I_{\mathcal{G}_{g}}\left(r_{i, t_{i, k-L}}\right)+\operatorname{CTRL}_{i, t_{i, k}}^{(L)}+\epsilon_{i, t_{i, k}}^{(L)}, \tag{4}
\end{equation*}
$$

for $L=0, \ldots, 5$. $L$ defines the time-lag(s), or number of time-step(s), between the intraday or overnight return and the position openings. $I_{\mathcal{G}_{g}}\left(r_{i, t_{i, k-L}}\right)$ is an indicator function that is equal to one if $r_{i, t_{i, k-L}} \in \mathcal{G}_{g}$ and zero otherwise. We consider the contemporaneous relationship ( $L=0$ ), and the lagged relationships up to five time-lags ( $L=1, \ldots, 5$ ). Note that the length of one time-lag can represent either a one-hour intraday period (when $\Delta N_{i, t_{i, k}}$ and $r_{i, t_{i, k-L}}$ are from the same day), or an overnight period (when $\Delta N_{i, t_{i, k}}$ and $r_{i, t_{i, k-L}}$ are from consecutive trading days). We are interested in the estimates of $\beta_{g}^{(L)}$, which measure the propensity of RH users to open new positions, after $L$ time-step(s), in stocks experiencing price movements of different magnitudes-from extremely negative to extremely positive. Our controls, $\operatorname{CTRL}_{i, t_{i, k}}^{(L)}$, include two groups of variables: (i) stock $i$ 's contemporaneous and lagged (up to five) returns and their squares except the return corresponding to the time-lag of interest, that is, $r_{i, t_{i, k-j}}$ and $r_{i, t_{i, k-j}}^{2}(j=0,1, \ldots, 5 ; j \neq L)$; and (ii) contemporaneous and lagged (up to five) market returns and their squares, that is, $r_{M, t_{i, k-j}}$ and $r_{M, t_{i, k-j}}^{2}(j=0,1, \ldots, 5)$.

In all six specifications presented by equation (4), the dependent variable $\Delta N_{i, t_{i, k}}$ and the second group of control variables (market returns) remain unchanged. The elements that vary as we consider different $L$ are the lagged stock return categorical variables $I_{\mathcal{G}_{g}}\left(r_{i, t_{i, k-L}}\right)$ and the first group of controls accounting for the other lagged stock returns, that is, $r_{i, t_{i, k-j}}$ and $r_{i, t_{i, k-j}}^{2}(j=0,1, \ldots, 5 ; j \neq L)$. For example, in the first specification with $L=0$, we evaluate the relationship between RH users' position openings and contemporaneous returns, controlling for the stock-specific returns at lags $L=1, \ldots, 5$. Similarly, in the second specification with $L=1$, we evaluate the relationship between RH users' position openings and returns over the last hour or the last overnight period (one time-lag), controlling for stock-specific returns at lags $L=0,2, \ldots, 5 .{ }^{10}$

We estimate each specification based on the complete panel of stock-day-time observations, and compute standard errors clustered at the stock level and corrected for heteroskedasticity (e.g., Petersen, 2009). Note that the specifications reported here rep-

[^7]resent pooled OLS models. As robustness tests, we also estimate panel regressions with firm and date-time fixed effects. Our fixed effects results, reported in Section III of the online appendix, remain quantitatively and qualitatively similar.

### 3.2. Three Key Behaviors by RH Investors

Table 3 presents the estimates for all specifications, which are also summarized visually in Figure 1. The table and the figure show the propensity of RH users to open new positions in reaction to returns of various magnitude after up to five time-steps.

## [Insert Table 3 and Figure 1 about here.]

Our results point to three specific behaviors by RH investors as they react to intraday and overnight returns.

Behavior \#1: RH investors open more new positions in stocks that exhibit extreme price movements.

Panel A of Figure 1 shows that the change in the new position openings exhibits a U-shaped pattern as a function of past returns at different lags, that is, for all noncontemporaneous lags $(L \neq 0)$. RH users open more positions in stocks that experience extreme (intraday hourly or overnight) price movements than in stocks that do not exhibit extreme price movements. For example, one time-step after observing an extremely negative (positive) movement on a given stock, the number of opening positions in this stock increases by $1 \%(0.41 \%)$ per day on average. This is approximately 3.3 and 1.3 times higher than RH users' average reaction to moderate returns, that is, returns between the 5th and 95th quantiles. Interestingly, we do not observe such behavior for contemporaneous returns $(L=0)$. This suggests that RH users might not be fast enough to react to contemporaneous returns. Furthermore, this delay of approximately one hour in their reaction can be interpreted as a causal effect of past returns on their position openings.

We are not the first to report such behavior by RH investors. Using daily data, Barber et al. (2022), Welch (2022), and Fedyk (2022) also find that RH investors react
more strongly to extreme price movements. We present this behavior by RH investors for completeness and confirm that it is also observed at a higher frequency than daily.

Behavior \#2: RH investors react asymmetrically to extreme price movements, favoring big losers over big gainers.

An important characteristic of the first behavior identified above is that RH users do not respond similarly to extreme negative and positive returns. Indeed, the U-shapes are, in fact, smirks. In other words, RH investors open, on average, more positions in stocks that experienced extreme negative returns (the big losers) than in those that experienced extreme positive returns (the big gainers). To illustrate this, consider again the reaction of RH investors after one time period. The increase in position openings after a large negative movement ( 100 bps per day) is about 2.5 times higher than after a large positive movement (41 bps per day). Furthermore, the strength of this asymmetry decreases as we consider RH investors' reactions to return realizations that happened further in the past. For example, RH investors open approximately 1.15 times more positions after five periods following a large negative return than a large positive return ( 60 bps versus 52). Also, given their subdued reaction to contemporaneous returns mentioned above, it is not surprising that RH investors do not exhibit much of an asymmetric response to contemporaneous extreme returns.

We should note that this asymmetry is not likely due to RH investors' inability to short-sell. To see this, consider two scenarios where RH investors can short-sell. First, if they only short-sell based on contrarian behavior, targeting stocks experiencing large positive returns, the observed asymmetry would be even more pronounced. But in a second scenario, where they only short-sell based on momentum, targeting falling stocks, the asymmetry might indeed be less pronounced. Since our study, as well as those by Barber et al. (2022) and Welch (2022), suggests the coexistence of both contrarian and momentum trading behaviors, the RH investors' inability to short-sell can only explain the observed asymmetry under very specific assumptions regarding the selling demand by Robinhood investors who own the stock and short selling demand by those who do
not own the stock following extreme positive and negative returns. ${ }^{11}$

Behavior \#3: RH investors are particularly fast at opening positions in stocks that exhibit large negative price movements.

Panel B of Figure 1 presents the reaction of RH investors to different returns as a function of time-lag, allowing us to assess their reaction speed. First, we focus on their reaction speed to extreme negative returns (below the 5th percentile). As previously mentioned, the response of RH investors to contemporaneous returns appears relatively muted, as indicated by the position openings, which are not significantly different from the overall average across different return groups. However, after one period, the position openings variable exhibits its highest value at 100 bps . It then monotonically decreases with time-lags, reaching a rate of 60 bps per day after five periods. This suggests that the reaction speed to extreme negative price movements is high. Specifically, most RH users acquire these stocks during approximately the one-hour or overnight period following the realization of this large negative price movement. We observe a similar pattern, albeit to a lesser extent, for stocks in the second most negative return group (between the 5th and 25th percentile). These results suggest that RH investors might overreact to extreme negative price movements.

Second, RH investors do not exhibit such a high reaction speed to returns higher than the 25th percentile. If anything, our results suggest that RH investors tend to underreact to extreme positive price movements. Specifically, they open positions at a rate of about 32 bps per day during periods with contemporaneous extreme positive price movements, and this rate increases monotonically as we consider their reaction to extreme positive returns further in the past. For example, they open positions at a rate of approximately 52 bps per day five periods after observing an extreme positive return. Finally, their

[^8]reaction to non-extreme returns (between the 25th and 75 th percentile) does not appear to depend closely on the time-lag.

Overall, these findings indicate that RH investors do not or cannot react promptly to contemporaneous returns of any magnitude. They also do not necessarily respond quickly to returns ranging from moderate to extremely positive. However, they display a remarkably rapid response to extreme negative price movements. Within our framework, this response time to extreme negative movements can be estimated at approximately one hour.

### 3.3. Comparison With Robinhood Investors' Behavior at the Daily Frequency

In this section, we compare our high-frequency findings to RH users' behaviors at the daily frequency based on (i) our own analysis and (ii) those identified in the existing literature.

### 3.3.1. High-Frequency Versus Daily Behaviors Within Our Empirical Framework

We start with the comparison based on our own daily analysis. That is, we estimate the same models presented in (4) where the time-steps $t_{i, k}$ now account for days. To construct the new daily-based dependent variable, we identify the last available observation before 4 pm (the "close" observation) and construct a daily ("close-to-close") series of RH users' position openings. For the main independent variables we compute close-to-close returns standardized by their daily volatility estimated with a GJR-GARCH $(1,1)$ model. We refer to the online appendix for more detail on our daily-frequency methodology.

Figure 2 and Table 4 present these daily-frequency results. Before comparing them to our high-frequency results, several remarks are in order. First of all, we can notice that the reaction of RH investors to daily returns lasts only for two days - the current day and the day after. Beyond two days, the reaction is no longer distinguishable from the RH investors' usual daily activity. Second, the reaction to extreme returns is strongest on the day that these returns are observed than on the next day. For example, RH users open positions at a rate of about $1.42 \%$ (1.23\%) per day on the day they observe an extreme negative (positive) return, versus a rate of nearly half at $0.74 \%$ ( $0.75 \%$ ) per day on the
following day. Finally, at daily frequency, RH investors exhibit a slight asymmetry in their response to extreme negative and positive contemporaneous returns. This asymmetry can be measured at 19 bps ( 142 vs 123 bps ). In the following day, however, this asymmetric reaction completely disappears ( 74 vs 75 bps ). In summary, these remarks suggest that most of the activity of RH investors in relation to returns occurs on the same day and reinforces the relevance of our higher-frequency study.
[Insert Figure 2 and Table 4 about here.]

Turning our attention to comparing our daily frequency results just presented above to our higher-frequency results (Figure 1 and Table 3) reveals very interesting facts. Note that the results from both frequencies can be directly compared given that estimates in both analyses are expressed in daily terms. First, regarding behavior $\# 1$, the reaction of RH investors to extreme negative returns in the first high-frequency time-step following the observation of this return (i.e., when $L=1$ the time-step is either an intraday one-hour period or an overnight period) is about $1 \%$ per day change in openings. The daily-frequency equivalent reaction (i.e., when $L=1$ the time-step spans a whole 24-hours period) is about $1.42 \%$ per day change in openings. This suggests that about two-third of the daily reaction to extreme negative returns actually happens during the first onehour intraday period or overnight period after observing the return. Again, this indicates that taking a higher-frequency perspective is bringing valuable new information. Second, perhaps more importantly, the asymmetry in RH investors' reactions to extreme negative and positive returns (behavior $\# 2$ ) is much more pronounced at the high-frequency level. Specifically, considering again one time-step $(L=1)$, our high-frequency results show that the increase in position openings after a large negative movement is about 60 bps per day higher than after a large positive movement. This is three times the difference of 19 bps at the daily frequency. Therefore, it seems that a daily analysis would significantly underestimate the asymmetry in RH investors' response to extreme positive and negative returns. Here again, looking at this specific behavior with a high-frequency lens seems to tell a different story than with a daily lens. Finally, our high-frequency results demonstrate that RH investors are particularly fast to react to extreme negative returns
while slower to react to extreme positive returns. On the other hand, any daily analysis is, by definition, silent on the intraday reaction speed of RH investors to returns.

### 3.3.2. Contrasting With Existing Results in the Literature

We now turn to contrasting our high-frequency and daily results with the daily results in the literature. Barber et al. (2022, Section D.1) analyze the potential impact of one feature of the RH smartphone app that displays the list of top movers' stocks. More precisely, they examine the relation between RH investors' position openings for stocks belonging to the top gainers (stocks with the highest positive returns) or top losers (stocks with the lowest negative returns) list. Keeping the differences of our daily analysis empirical frameworks and theirs in mind, we now contrast our results (Figure 2) with the comparable results reported by Barber et al. (2022) in the graph on the left in Panel B of Figure 4 in their paper.

First, both analyses show that RH investors react strongly to stocks with extreme positive and negative returns (top gainers and top losers). Second, while they find that RH investors react symmetrically to extreme positive and negative returns, we observe a slight asymmetry in the daily reaction of RH investors to daily returns. On the one hand, this difference in our findings compared to theirs could be attributed to the differences in empirical designs. On the other hand, we can interpret these differences as reinforcing the argument put forth by Barber et al. (2022) that the RH smartphone app influences the trading behaviors of RH investors. Specifically, because we cover more stocks in our analysis (i.e., we do not limit ourselves to the top movers listed in the app), the contrasting results we obtain may suggest that the asymmetry is indeed non-existent for the top movers' stocks, but it does exist for other stocks that are not part of this list.

Welch (2022)'s findings suggest that RH investors react to previous day's extreme price movements and that this effect is stronger for large stock price increases than for large price decreases. Put differently, he identifies an asymmetry favoring big gainers over big losers, which is in the other direction than us. Conversely, Fedyk (2022) finds that RH investors invest relatively more after observing extreme negative returns than after extreme positive returns in the previous day, thus aligning more closely with our daily
data-based findings. Specifically, Fedyk (2022, Table 3) reports a coefficient estimate of 0.0036 for the reaction to past absolute returns and a coefficient estimate of -0.0006 to past returns. This indicates that the asymmetric reaction is about one-sixth or $17 \%$ of the reaction to extreme returns. In our daily analysis, we also find that the asymmetric reaction is small at about one-seventh or $14 \%$ of their average reaction to extreme returns $\left(\approx \frac{142-123}{(142+123) / 2}\right)$. In contrast, when we assess the reaction after a one-hour or an overnight period in our higher-frequency analysis, the magnitude of the asymmetry is significantly larger, at about $85 \%$ of their average reaction to extreme returns $\left(\approx \frac{100-41}{(100+41) / 2}\right)$.

Overall, despite noting some differences regarding behavior \#2 likely stemming from different empirical designs, our daily results and those in the literature share the same major highlights: RH investors tend to react strongly to extreme returns. This suggests that the comparisons between our own daily and high-frequency results are relevant. Collectively, our comparisons demonstrate that a higher-frequency analysis reveals nuances in RH investors' trading behavior that cannot be simply extrapolated from daily observations - depending on the frequency of evaluation, different trading patterns emerge. Specifically, the asymmetry of reaction to extreme returns may be misestimated or underestimated using daily data. Furthermore, RH investors may react faster to large negative price movements than previously believed based on daily analysis.

## 4. Conditional Analyses of the Three Key Behaviors

The three key behaviors outlined in the previous section are derived from examining RH investors' responses to intraday hourly and overnight price movements across a diverse range of over 2,500 stocks over two years, including the initial three months of the COVID pandemic. In this section, we analyze how the reaction of RH investors to price movements varies conditional on several factors. In particular, we aim to determine if these behaviors: (i) are driven by intraday hourly or overnight movements, (ii) have changed due to the COVID pandemic, and (iii) vary with regard to firms' market capitalization and industry.

These analyses require an adjustment of our methodological framework presented in Section 3.1. We first present this adjustment and then discuss the results of these
conditional analyses.

### 4.1. Methodological Framework

We propose a variant of regressions (4) where we allow the coefficients $\beta_{g}^{(L)}$ to depend on groups fulfilling certain conditions, therefore adding flexibility in exploring the behaviors conditional on the factors discussed above. Formally, we introduce a second categorical variable $I_{S G P_{c}}\left(r_{i, t_{i, k-L}}\right)$ that takes the value of one if the $r_{i, t_{i, k-L}}$ observation belongs to the subgroup $S G P_{c}$, and zero otherwise. The specifications become:

$$
\begin{equation*}
\Delta N_{i, t_{i, k}}=\sum_{g=1}^{6} \sum_{c=1}^{C} \beta_{g, c}^{(L)} I_{\mathcal{G}_{g}}\left(r_{i, t_{i, k-L}}\right) \cdot I_{S G P_{c}}\left(r_{i, t_{i, k-L}}\right)+\operatorname{CTRL}_{i, t_{i, k}}^{(L)}+\epsilon_{i, t_{i, k}}^{(L)}, \tag{5}
\end{equation*}
$$

for $L=0, \ldots, 5$, where the subgroup $S G P$ contains $C$ levels. For instance, our type-ofreturns subgroup has $C=2$ levels: overnight and intraday returns; and our size subgroup has $C=3$ levels: small-cap, mid-cap, and large-cap.

To analyze the three behaviors conditional on these factors, we construct proxies that are linear functions of the estimates obtained in these subgroup regressions. We define each proxy as follows:

Behavior \#1: $E x t_{c}^{(L)}=\frac{1}{2}\left(\hat{\beta}_{<5 \%, c}^{(L)}+\hat{\beta}_{\geq 95 \%, c}^{(L)}\right)-\frac{1}{2}\left(\hat{\beta}_{[25 \%, 0[, c}^{(L)}+\hat{\beta}_{[0,75 \%[, c}^{(L)}\right)$,
Behavior \#2: $A s y_{c}^{(L)}=\hat{\beta}_{<5 \%, c}^{(L)}-\hat{\beta}_{\geq 95 \%, c}^{(L)}$,
Behavior \#3: SpeedExtNeg ${ }_{c}=\hat{\beta}_{<5 \%, c}^{(L=1)}-\hat{\beta}_{<5 \%, c}^{(L=5)}$.

The proxy Ext quantifies the strength of the first behavior-RH investors' tendency to open more positions in stocks that exhibit extreme price movements - by evaluating the difference in the average responses to large and moderate movements. Asy measures the propensity of RH investors to buy sharply declining stocks relative to sharply rising stocks - that is, how asymmetric is their response to extreme returns toward the big losers. SpeedExtNeg evaluates how fast they respond to large downward price movements. We measure it as the difference in the strength of the responses at one and five time-lags-so a higher value indicates a faster response.

### 4.2. Overnight Versus Intraday Hourly Returns

We begin by distinguishing the behaviors based on the type of returns. Here, our subgroup comprises two levels $(C=2)$, distinguishing between overnight and intraday hourly return observations. We estimate the subgroup regressions accordingly and obtain $6 \times 2$ estimates for each time-lag $L$, allowing us to analyze the behavior of RH investors separately for each type of return.

Figure 3 presents estimation results. The difference in magnitude in response to extreme returns is striking. For instance, within approximately the opening hour after the realization of a very negative overnight return on a given stock, the number of opening positions in this stock increases by approximately $5.73 \%$ per day. In contrast, the highest intraday-returns estimate across all regressions is about seven times lower at only $0.78 \%$. A visual examination of this figure indicates that all three behaviors are more pronounced for overnight returns. Table 5, which reports the values of our behavior proxies defined in (6), corroborates this at high significance levels.

Behavior \#1. Panel A focuses on the strength of the response to extreme returns. Evaluated at one time-lag, this behavior is highly pronounced. Indeed, the value of Ext indicates that the average increase in new positions following a large overnight movement surpasses the average increase in new positions following a moderate overnight movement by 515 bps . This is more than thirty times stronger compared to the strength of this behavior with respect to extreme intraday movements ( $0.16 \%$ per day). Through Wald tests, we find that both evaluations of our proxy are individually significantly positive, and the difference between them ( 498 bps ) is also significantly positive at the $1 \%$ level. Furthermore, this interpretation holds for all regressions, that is, all time-lags. Overall, these results suggest that, for the same level of extreme movements (standardized returns below -5.14 or above 5.03), RH investors open more positions when such returns occur overnight rather than intraday.

Behavior \#2. Panel B contrasts the second behavior related to the asymmetric response to extreme returns. For all non-contemporaneous time-lags, the differences in the evaluations of our proxy Asy are significant and positive, confirming that the asymmetry
is more pronounced for overnight returns. It means that when a large movement occurs during trading hours, RH investors tend to differentiate less between an upward or downward change, but when a large movement occurs overnight, they react primarily to downward moves.

Behavior \#3. Panel C demonstrates that the speed of response to large negative returns is also exacerbated for overnight returns. We measure this speed at 223 bps for overnight returns and 32 bps for intraday hourly returns. As measured by our proxy SpeedExtNeg, the behaviors are individually significant, and the difference of 191 bps is substantial and significant. ${ }^{12}$ Therefore, RH investors tend to respond more quickly to large downward overnight price movements relative to large downward intraday price movements.

## [Insert Figure 3 and Table 5 about here.]

In summary, these findings underscore the significance of overnight movements. All three behaviors identified in Section 3.2 exhibit greater prominence when evaluated in relation to overnight movements. These results might also imply that some important findings reported in the existing literature based on daily data may be driven by the influence of overnight movements rather than movements occurring during regular trading hours.

### 4.3. COVID-19 Pandemic

On March 11, 2020, the World Health Organization declared the outbreak of COVID19 a global pandemic, leading to widespread lockdowns and a wave of new individuals investing in the stock market. In particular, the Robinhood platform saw a significant influx of new users during this period. ${ }^{13}$ For some observers, through the provision of new liquidity, these new traders acted as a "market-stabilizing force" (Welch, 2022) and

[^9]certainly contributed to the quick recovery that followed the COVID-19 stock market crash (Blake et al., 2022). In addition, this event triggered a significant and sustained increase in the level of volatility in the markets, resulting in more frequent instances of extreme price movements. This section examines how such a shock has affected the three key RH investors' behaviors identified in the main results. We should note that we cannot answer if our findings from this analysis are a result of behavioral shifts among existing RH investors or due to a demographic transformation of RH investors amid the COVID19 pandemic. Nonetheless, our results offer insights into the conduct of the typical RH investor in both the pre-pandemic and post-pandemic periods.

First, as illustrated in Figure 4, our estimates show that there was a dramatic increase in the overall activity of RH users following the pandemic announcement, which is consistent with the findings of Ozik et al. (2021). In fact, $\Delta N_{i, t_{i, k}}$ (unconditional of the return group level) is more than 3.5 times higher post-announcement. Moreover, all postannouncement estimates are significantly higher than their pre-announcement counterparts, indicating that RH investors have acquired more stocks in the post-announcement period.
[Insert Figure 4 about here.]

Table 6 contrasts the three key behaviors of RH investors in the pre- and postannouncement period.

Behavior \#1. RH investors' tendency to open positions in stocks that exhibit extreme returns is strong both in the pre- and post-announcement periods, as evidenced by the generally positive and significant values of Ext. However, for all time-lags, the strength of this behavior is significantly higher in the post-announcement period. For instance, before the announcement, the average increase in the number of RH users holding a given stock one time-step after a realization of an extreme return is 44 bps superior to a corresponding increase after a realization of a moderate return. After the announcement, the corresponding quantity stands at 57 bps . This 13 bps difference is significant at the $1 \%$ level.

Behavior \#2. Our results regarding the asymmetry of response to extreme returns are more mixed. Although we do observe an asymmetry in favor of big losers both in the pre- and post-periods (as almost all Asy are positive and significant), the "Pre Minus Post" differences are only statistically significant for half of the time-lags ( $L=1,3,4$ ) and have different signs. This suggests that the impact of the pandemic announcement on this behavior, if any, is relatively minor.

Behavior \#3. The speed of response to large negative returns has increased after the pandemic announcement. When examined individually, our proxies evaluating this speed are statistically significant, indicating that both pre- and post-announcement, RH investors were particularly quick to respond to large negative returns. However, the difference in the SpeedExtNeg proxy between the post- and pre-announcement periods (17 bps) is statistically significant. This implies that RH investors tended to respond more rapidly to large downward price movements in the post-period.
[Insert Table 6 about here.]

Overall, we find a potential heightened sensitivity among RH investors toward extreme negative market events following the announcement of the pandemic. Specifically, in the six months that followed the announcement, RH investors exhibited an intensified buying behavior towards extreme movers, maintaining their preference to acquire the big losers rather than the big gainers. Furthermore, they displayed a greater speed in opening positions in stocks experiencing significant price declines.

### 4.4. Company Size

It is not clear whether retail investors prefer trading smaller- or larger-capitalization stocks. While small-cap stocks are typically less expensive, which may make them more attractive to individual investors with limited portfolio depth (e.g., Chatillon et al., 2021), the increasing availability of fractional stock trading (e.g., Gempesaw et al., 2022) has rendered this argument less compelling. Some studies suggest that retail investors possess a comparative advantage in trading small stocks (Kelley and Tetlock, 2013; Jirajaroenying et al., 2019) and exhibit stronger herding behavior on such stocks (Venezia et al., 2011;

Hsieh et al., 2020). In contrast, Welch (2022) finds that RH users' typical portfolio is relatively close to the market portfolio, that is, composed primarily of large-cap stocks.

We complete this discussion by contrasting our three behaviors by firm size. We utilize market capitalization data to categorize, on a daily basis, the stocks in our sample into three distinct size categories-small-capitalization (less than $\$ 2$ billion), midcapitalization ( $\$ 2$ to $\$ 10$ billion), and large-capitalization (larger than $\$ 10$ billion)-and estimate the three-level subgroup $(C=3)$ regressions accordingly. ${ }^{14}$ Estimation results are reported in Figure 5 and Table 7.

Behaviors \#1 and \#2. Panel A of Table 7 shows that, across all time-lags, the highest values of Ext are observed for small-cap stocks, indicating that RH investors are inclined to open more positions on small-cap extreme movers compared to mid- or large-cap extreme movers. In fact, Figure 5 reveals that, for the mid- and large-cap categories, this "reaction-to-extreme" behavior is predominantly driven by extreme negative returns, with minimal evidence of a U-shape or even a smirk pattern. This finding suggests that the second behavior, which pertains to the asymmetry of RH investors' reactions to extreme returns, is notably influenced by firm size. Panel B of Table 7 corroborates this, demonstrating a monotonic increase in Asy with stock size. Taken together, these results demonstrate that, within the small-cap segments, RH investors tend to open positions on both past big losers and big gainers. Conversely, in the largest-cap segments, RH investors' inclination to buy extreme movers is significantly skewed towards the big losers.

Behavior \#3. The speed at which RH investors respond by opening positions following a large negative movement is found to be highest for the large-cap category. This is evident from the differences reported in Panel C of Table 7, with (L Minus M) and (L Minus S) being both positive and statistically significant at the $1 \%$ level. Hence, RH investors take less time to open new positions after observing an extremely negative return in large-cap stocks, while comparatively more time is taken for mid-cap or small-

[^10]cap stocks.

## [Insert Table 7 and Figure 5 about here.]

Overall, RH investors exhibit different attitudes across firm size categories. They combine a "contrarian" and a "momentum" approach in the small-cap segment. In contrast, they exhibit a more contrarian behavior in the larger-cap segments. Additionally, their faster response to large movements of large-cap stocks suggests they pay more attention to the big companies. This last finding could also be partially explained by the increased media coverage and market awareness surrounding large-cap companies. As larger-cap stocks tend to receive greater media attention, RH investors are more likely to be promptly informed about extreme price movements, enabling them to react faster in such situations.

### 4.5. Company Industry

In our last conditional analysis, we examine the behaviors across industries. Relying on the sector definition as per the GICS obtained from COMPUSTAT, we estimate the eleven-level subgroup $(C=11)$ regressions accordingly. ${ }^{15}$ Figure 6 displays the value of our behavior proxies per industry, and Table 8 reports Wald tests that compare the values of our behavior proxies per industry to the average of the other ten industries.

Behavior \#1. Panel A of Figure 6 illustrates that, across most non-contemporaneous time-lags, Ext is the highest for stocks in the energy, consumer discretionary, and healthcare sectors. Furthermore, Table 8 reports that the differences between quantities associated with the aforementioned sectors and the average of the remaining ten sectors are statistically significant at the $5 \%$ level (except for energy at $L=4$ ). This suggests that RH investors tend to be more attracted to large returns from stocks in these sectors. They are more inclined to open positions in extreme movers from the energy, consumer discretionary, and health care sectors compared to extreme movers from other sectors.

[^11]Conversely, the value of Ext is significantly below the average for the financials and utilities sectors, indicating that RH investors may pay relatively less attention to extreme movers in these sectors.

Behavior \#2. Energy and consumer discretionary also stand out in Panel B of Figure 6. Across most time-lags, the asymmetric behavior of RH investors toward extreme movers is the strongest for stocks in these sectors. The value of Asy specific to consumer discretionary stocks is significantly higher than the average of the other ten sectors. Regarding stocks from the energy sector, Asy is significantly stronger than the average for time-lags one and two only. Therefore, in these two sectors in particular, RH investors favor acquiring the big losers rather than the big gainers. Conversely, within the health care sector subgroup, RH investors' buying behavior towards extreme movers appears to be more symmetric, as the value of Asy for this sector is the lowest among all sectors.

Behavior \#3. Panel C of Figure 6 shows that RH investors tend to respond particularly fast to stocks from the energy sector that experience large negative returns. The value of our proxy SpeedExtNeg pertaining to this sector is the highest and significantly surpasses the average at the $1 \%$ level. In contrast, the response speeds associated with the remaining sectors are more aligned with the average, except for consumer discretionary (above the average) and industrials (below the average) at the $10 \%$ significance level.

## [Insert Figure 6 and Table 8 about here.]

For all three behaviors we examined, energy stocks exhibit more pronounced patterns than stocks from other sectors. RH investors demonstrate a higher propensity to buy extreme movers in the energy sector, they display a stronger asymmetrical attitude towards extreme movers (favoring the losers), and they respond more rapidly to declining energy stocks by opening more new positions in these stocks compared to stocks from most other sectors. Similarly, but to a lesser extent, stocks from the consumer discretionary sector exhibit similar patterns.

## 5. Robustness Tests

Our results are robust across various alternative settings. In this section, we succinctly present the results of different robustness tests that we deemed relevant, while more detailed information is provided in Section III of the online appendix.

### 5.1. Fixed-Effect Regressions

The three key behaviors we present in section 3.2 are the results of our estimations of the pooled OLS models presented in (4). Our empirical conclusions remain quantitatively and qualitatively valid when we consider a model with firm and date-time fixed effects. For more details, see Section III.A of the online appendix.

### 5.2. Detrended Version of $\Delta N_{i, t_{i, k}}$.

Since the period of our study, from June 2018 to August 2020, is characterized by an increasing popularity of the Robinhood platform among investors, there is a positive trend in the new positions opened by RH investors due to the success of RH. Therefore, the average change in the new position openings is positive and significantly different from zero. To ensure that our results are not driven by this positive trend in our dependent variable, we constructed a detrended version of $\Delta N_{i, t_{i, k}}$ and re-estimated our models presented in (4). Our empirical conclusions remain quantitatively and qualitatively valid when we consider this alternative dependent variable. For more details, see Section III.B of the online appendix.

### 5.3. Alternative Timestamps' Delays Regarding the Original Robintrack Observations

As mentioned in Section 2.1, there is a delay of approximately 45 minutes embedded in the original timestamps of the user holding counts observations provided by Robintrack. Our main results are therefore based on a 45-minute delay. As robustness tests, we have assumed alternative delays of 30 and 60 minutes to construct the $N_{i, t_{i, k}}$ variable, and reestimated our models presented in (4). Our empirical conclusions remain quantitatively and qualitatively valid under these assumptions. For more details, see Section III.C of the online appendix.

### 5.4. Alternative Definitions of Extreme Returns

One might argue that, being presumably non-sophisticated investors, Robinhood investors do not assess extreme returns in relation to their volatility, as we defined in (3), but just look at returns alone, or returns in excess of the market. We therefore consider two alternative definitions of extreme returns, "raw returns" $R_{i, t_{i, k}}$ as defined in (2), and raw returns in excess of market returns ExRet $t_{i, t_{i, k}}=R_{i, t_{i, k}}-R_{t_{i, k}}^{M K T}$. Re-estimating our models presented in (4) using these new types of returns as our main independent variable does not materially affect our empirical conclusions. For more details, see Section III.D of the online appendix.

## 6. Conclusion

Robinhood investors are younger and less experienced than traditional retail investors. Their ultra-connectedness enables them to access new information more easily and quickly. Given this propensity, we argue and demonstrate that analyzing their trading behavior at the hourly intraday and overnight frequencies, rather than the daily frequency used in the existing literature, is more appropriate. Indeed, RH investors exhibit within-the-day and overnight trading behaviors that either differ from their daily behavior or cannot be identified using daily data.

We identify three key trading behaviors. First, RH investors tend to open positions in stocks that exhibit intraday hourly or overnight extreme movements-significantly more than in stocks with more moderate movements. Second, this preference for intraday hourly and overnight extreme movers is remarkably asymmetrical, with a significant tilt in favor of big losers rather than big gainers. Notably, this behavior contrasts with the existing findings based on daily data that suggest either a more symmetrical behavior (Barber et al., 2022), or an asymmetry in the other direction, that is, in favor of big gainers (Welch, 2022). Third, we unveil new results regarding their reaction speed. We find that they are particularly rapid to trade after observing large negative movements. When a stock's price sharply drops during the day or overnight, RH investors tend to purchase that stock in the following hour, with far fewer position openings in the subsequent
hours. This high reaction speed is specific to these large negative movements and cannot be observed for movements of other magnitudes (from moderate to extremely positive).

We also analyze these behaviors conditional on several factors, highlighting RH investors' differential attention and behavior towards specific market segments and sectors. We find that the behaviors mentioned above are more pronounced for overnight returns than intraday returns, suggesting that RH investors pay particular attention to "premarket" returns. This finding also points out that the daily-based results proposed by the current literature could be driven by overnight rather than intraday movements. In line with previous studies (Eaton et al., 2022), we observe a heightened general buying activity following the announcement of the COVID-19 pandemic. More precisely, in the post-COVID-19-announcement period, RH investors were even more inclined to buy large movers, and their speed of opening positions in response to large negative price movements accelerated. Furthermore, our results highlight that RH trading attitudes significantly vary across firm size and industry, with a more contrarian strategy towards larger-cap firms and a heightened activity on energy and consumer discretionary stocks.

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Table 1: Summary Statistics of Main Variables
The summary statistics are calculated using the complete sample of stock and day-time observations. Panel A describes our proxy for Robinhood users' trading behavior $\Delta N_{i, t_{i, k}}$ defined in (1), winsorized at the 0.5 th and 99.5 th percentiles, and expressed in basis points. Panel B describes standardized returns $r_{i, t_{i, k}}$ defined in (3). All statistics are expressed in daily units. Nobs, $T$, and \# represent the number of observations, trading days, and companies, respectively.

| Panel A: Position Openings $\Delta N_{i, t_{i, k}}$ |  |  |  |  |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | Av | Std | 5th | 25th | 50th | 75th | 95th | Nobs | $T$ | \# |
| Intraday | 28.05 | 607.26 | -675.89 | $-35.80$ | 0.00 | 26.51 | 798.08 | 6,584,095 | 527 | 2,583 |
| Overnight | 34.35 | 336.71 | -254.78 | -37.63 | 0.00 | 58.22 | 380.96 | 1,201,860 | 526 | 2,583 |
| All | 29.02 | 573.88 | -606.67 | $-36.56$ | 0.00 | 39.20 | 727.27 | 7,785,955 | 527 | 2,583 |
| Panel B: Standardized Returns $r_{i, t_{i, k}}$ |  |  |  |  |  |  |  |  |  |  |
|  | Av | Std | 5th | 25th | 50th | 75th | 95th | Nobs | $T$ | \# |
| Intraday | -0.02 | 3.22 | -5.38 | -1.90 | 0.00 | 1.88 | 5.27 | 6,584,095 | 527 | 2,583 |
| Overnight | 0.02 | 4.26 | -3.04 | -0.89 | 0.02 | 0.98 | 3.02 | 1,201,860 | 526 | 2,583 |
| All | -0.02 | 3.40 | -5.14 | -1.69 | 0.00 | 1.69 | 5.03 | 7,785,955 | 527 | 2,583 |

## Table 2: Classification of Standardized Returns

Panel A shows the breakdown of the groups by percentile cutoffs (PRCT) and their corresponding quantile values $\left(r_{i, t_{i, k}}\right)$. To define a clear separation between negative and positive returns, groups $\mathcal{G}_{3}$ and $\mathcal{G}_{4}$ are based on a "hard cutoff" corresponding to a return of zero. Panel B displays the number of observations within each group.

| Panel A: Group Definitions |  |  |  |  |  |  |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: |
|  | $\mathcal{G}_{1}$ | $\mathcal{G}_{2}$ | $\mathcal{G}_{3}$ | $\mathcal{G}_{4}$ | $\mathcal{G}_{5}$ | $\mathcal{G}_{6}$ |
| PRCT | $<5 \%$ | $[5 \%-25 \%[$ | $[25 \%-0[$ | $[0-75 \%[$ | $[75 \%-95 \%[$ | $\geq 95 \%$ |
| $r_{i, t_{i, k}}$ | $<-5.14$ | $[-5.14,-1.69[$ | $[-1.69,0.00[$ | $[0.00,1.69[$ | $[1.69,5.03[$ | $\geq 5.03$ |
| Panel B: Number of Observations |  |  |  |  |  |  |
|  | $\mathcal{G}_{1}$ | $\mathcal{G}_{2}$ | $\mathcal{G}_{3}$ | $\mathcal{G}_{4}$ | $\mathcal{G}_{5}$ | $\mathcal{G}_{6}$ |
| Intraday | 371,551 | $1,415,607$ | $1,321,793$ | $1,698,224$ | $1,404,641$ | 372,279 |
| Overnight | 17,747 | 141,584 | 415,282 | 457,678 | 152,550 | 17,019 |
| All | 389,298 | $1,557,191$ | $1,737,075$ | $2,155,902$ | $1,557,191$ | 389,298 |

Table 3: Reaction of RH Investors to Intraday Hourly and Overnight Price Movements
This table reports the $\hat{\beta}_{g}^{(L)}$ estimates obtained from regressions (4). The six regressions are based on the complete sample of stock and day-time observations and are estimated by pooled OLS. Estimates are expressed in basis points. Associated $t$-statistics are shown in parenthesis. The standard errors are clustered at the stock level and corrected for heteroskedasticity.

|  | Time-Lag $L$ |  |  |  |  |  |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: |
|  | 0 | 1 | 2 | 3 | 4 | 5 |
| $<5 \%$ | 37.80 | 100.41 | 85.73 | 74.05 | 65.99 | 59.69 |
|  | $(20.62)$ | $(58.53)$ | $(55.92)$ | $(53.01)$ | $(50.24)$ | $(47.10)$ |
| $[5 \%-25 \%[$ | 34.97 | 45.15 | 43.01 | 40.18 | 37.20 | 35.18 |
|  | $(34.81)$ | $(45.62)$ | $(46.63)$ | $(45.03)$ | $(42.83)$ | $(40.77)$ |
| $[25 \%-0[$ | 35.39 | 24.68 | 27.70 | 27.58 | 27.74 | 28.65 |
|  | $(43.56)$ | $(28.00)$ | $(32.49)$ | $(32.13)$ | $(32.40)$ | $(34.08)$ |
| $[0-75 \%[$ | 29.56 | 24.12 | 24.00 | 25.62 | 26.63 | 27.63 |
|  | $(37.96)$ | $(28.70)$ | $(28.44)$ | $(29.94)$ | $(31.36)$ | $(32.81)$ |
| $[75 \%-95 \%[$ | 30.06 | 27.54 | 28.33 | 30.74 | 33.19 | 33.35 |
|  | $(30.67)$ | $(28.04)$ | $(30.40)$ | $(34.01)$ | $(37.23)$ | $(37.01)$ |
| $\geq 95 \%$ | 32.12 | 40.52 | 43.47 | 44.58 | 47.08 | 51.51 |
|  | $(15.88)$ | $(22.21)$ | $(27.55)$ | $(30.75)$ | $(33.97)$ | $(36.96)$ |
| Adj. $R^{2}$ | 0.001 | 0.002 | 0.001 | 0.001 | 0.001 | 0.001 |
| Nobs | $7,773,040$ | $7,773,040$ | $7,773,040$ | $7,773,040$ | $7,773,040$ | $7,773,040$ |

## Table 4: Reaction of RH Investors to Price Movements at Daily Frequency

 This table reports the $\hat{\beta}_{g}^{(L)}$ estimates obtained from daily-frequency regressions equivalent to high-frequency regressions presented in (4). The six regressions are based on the complete sample of stock-day observations and are estimated by pooled OLS. Estimates are expressed in basis points. Associated $t$-statistics are shown in parenthesis. The standard errors are clustered at the stock level and corrected for heteroskedasticity. For more details on the construction of these regressions, we refer to section II of the online appendix.|  | Daily-Lag $L$ |  |  |  |  |  |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: |
|  | 0 | 1 | 2 | 3 | 4 | 5 |
| $<5 \%$ | 142.20 | 74.10 | 31.98 | 33.94 | 33.41 | 38.68 |
|  | $(54.35)$ | $(39.42)$ | $(18.00)$ | $(19.08)$ | $(19.74)$ | $(22.52)$ |
| $[5 \%-25 \%[$ | 23.71 | 14.99 | 22.12 | 22.24 | 21.62 | 22.81 |
|  | $(28.51)$ | $(17.73)$ | $(19.42)$ | $(19.90)$ | $(19.00)$ | $(19.43)$ |
| $[25 \%-0[$ | 5.98 | 5.17 | 16.83 | 17.84 | 17.70 | 18.02 |
|  | $(8.94)$ | $(6.54)$ | $(15.62)$ | $(16.75)$ | $(16.57)$ | $(17.08)$ |
| $[0-75 \%[$ | 7.42 | 14.99 | 16.39 | 15.44 | 15.54 | 16.16 |
|  | $(11.25)$ | $(18.30)$ | $(15.00)$ | $(14.54)$ | $(15.15)$ | $(15.76)$ |
| $[75 \%-95 \%[$ | 17.01 | 31.78 | 19.17 | 18.34 | 18.88 | 16.36 |
|  | $(18.88)$ | $(32.11)$ | $(16.33)$ | $(16.37)$ | $(16.92)$ | $(14.67)$ |
| $\geq 95 \%$ | 123.06 | 75.12 | 8.91 | 15.41 | 18.06 | 12.83 |
|  | $(35.42)$ | $(32.63)$ | $(4.96)$ | $(9.60)$ | $(11.84)$ | $(8.40)$ |
| Adj. $R^{2}$ | 0.026 | 0.025 | 0.022 | 0.022 | 0.023 | 0.022 |
| Nobs | $1,188,945$ | $1,188,945$ | $1,188,945$ | $1,188,945$ | $1,188,945$ | $1,188,945$ |

Table 5: Key Behaviors by Type of Returns - Overnight vs. Intraday Hourly Based on the $\hat{\beta}_{g, c}^{(L)}$ estimates obtained from regressions (5), this table compares the key behaviors associated to overnight (OV) versus intraday hourly (ID) return observations. In each panel, the first two rows report the value of our behavior proxy, defined in (6), specific to overnight and intraday hourly returns, respectively, and the last row takes the difference. ${ }^{* * *},{ }^{* *},{ }^{*}$ indicate that the null hypothesis that the evaluated quantity equals zero is rejected at the $1 \%, 5 \%$, and $10 \%$ levels.

|  | Panel A: Strength of Response to Extreme Returns |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | Time-Lag $L$ |  |  |  |  |  |
|  | 0 | 1 | 2 | 3 | 4 | 5 |
| OV | $257.05^{* * *}$ | $514.55^{* * *}$ | $411.35^{* * *}$ | $342.71^{* * *}$ | $323.66^{* * *}$ | $278.64^{* * *}$ |
| ID | $-11.83^{* * *}$ | $16.17^{* * *}$ | $15.58{ }^{* *}$ | $14.48^{* *}$ | $12.71{ }^{* * *}$ | $13.26{ }^{* *}$ |
| OV Minus ID | $268.88^{* * *}$ | 498.39*** | $395.77^{* * *}$ | $328.23^{* * *}$ | $310.94{ }^{* * *}$ | $265.38^{* * *}$ |
| Panel B: Asymmetry of Response to Extreme Returns Time-Lag $L$ |  |  |  |  |  |  |
|  |  |  |  |  |  |  |
|  | 0 | 1 | 2 | 3 | 4 | 5 |
| OV | $-79.91^{* * *}$ | $131.98^{* * *}$ | 89.87*** | 87.20 *** | $95.47^{* * *}$ | 103.62*** |
| ID | 9.17*** | $55.49^{* * *}$ | $39.23^{* * *}$ | $26.05^{* * *}$ | $14.62^{* * *}$ | $3.10{ }^{* *}$ |
| OV Minus ID | $-89.08^{* *}$ | $76.49^{* * *}$ | $50.64^{* *}$ | $61.15{ }^{* * *}$ | $80.85{ }^{* * *}$ | $100.53^{* * *}$ |
| Panel C: Speed of Response to Extreme Negative Returns |  |  |  |  |  |  |
| OV | $223.03^{* * *}$ |  |  |  |  |  |
| ID | $32.47^{* * *}$ |  |  |  |  |  |
| OV Minus ID | 190.56** |  |  |  |  |  |

Table 6: Key Behaviors Pre- and Post-COVID-19 Pandemic Announcement Based on the $\hat{\beta}_{g, c}^{(L)}$ estimates obtained from regressions (5), this table compares the key behaviors in the periods before (Pre) and after (Post) the COVID-19 pandemic announcement. In each panel, the first two rows report the value of our behavior proxy, defined in (6), specific to the pre- and post-period, respectively, and the last row takes the difference. ${ }^{* * *},{ }^{* *},{ }^{*}$ indicate that the null hypothesis that the evaluated quantity equals zero is rejected at the $1 \%, 5 \%$, and $10 \%$ levels.

| Panel A: Strength of Response to Extreme Returns |  |  |  |  |  |  |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: |
|  | Time-Lag $L$ |  |  |  |  |  |

## Table 7: Key Behaviors by Company Size

Based on the $\hat{\beta}_{g, c}^{(L)}$ estimates obtained from regressions (5), this table compares the key behaviors across firm size categories (S: small, M: medium, L: large). In each panel, the first three rows report the value of our behavior proxy, defined in (6), specific to small-, mid- and large-cap stocks, respectively, and the last rows show pairwise differences. ${ }^{* * *},{ }^{* *},{ }^{*}$ indicate that the null hypothesis that the evaluated quantity equals zero is rejected at the $1 \%, 5 \%$, and $10 \%$ levels.

|  | Panel A: Strength of Response to Extreme Returns Time-Lag $L$ |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | 0 | 1 | 2 | 3 | 4 | 5 |
| S | $7.79^{* * *}$ | $56.08^{* * *}$ | $47.47^{* * *}$ | $38.85{ }^{* * *}$ | $36.31^{* *}$ | $34.30^{* * *}$ |
| M | $-6.09^{* * *}$ | $33.33^{* * *}$ | $27.82^{* * *}$ | $27.39^{* * *}$ | $22.33^{* *}$ | $20.35{ }^{* * *}$ |
| L | $-2.73^{*}$ | $33.44^{* * *}$ | $27.11^{* * *}$ | $20.29^{* * *}$ | $17.04{ }^{* * *}$ | $15.33^{* * *}$ |
| M Minus S | $-13.88^{* *}$ | $-22.75{ }^{* *}$ | $-19.65^{* * *}$ | $-11.46^{* *}$ | $-13.98^{* * *}$ | $-13.95{ }^{* * *}$ |
| L Minus M | 3.36 | 0.11 | -0.71 | $-7.1^{* * *}$ | -5.29 *** | $-5.02^{* * *}$ |
| L Minus S | $-10.52^{* *}$ | -22.63 *** | $-20.36^{* * *}$ | $-18.56{ }^{* *}$ | $-19.26^{* * *}$ | $-18.97^{* *}$ |
| Panel B: Asymmetry of Response to Extreme Returns Time-Lag $L$ |  |  |  |  |  |  |
|  |  |  |  |  |  |  |
|  | 0 | 1 | 2 | 3 | 4 | 5 |
| S | 8.02** | $42.54^{* * *}$ | $26.95{ }^{* * *}$ | $17.68{ }^{* * *}$ | $10.25{ }^{* *}$ | 0.88 |
| M | -0.78 | $72.38^{* * *}$ | $54.03^{* * *}$ | $42.22^{* * *}$ | $28.61{ }^{* * *}$ | $15.59^{* * *}$ |
| L | 7.05 | $104.66{ }^{* * *}$ | 80.79*** | $53.24{ }^{* * *}$ | $36.09^{* * *}$ | $23.11^{* * *}$ |
| M Minus S | -8.81 | $29.83{ }^{* * *}$ | $27.08^{* *}$ | $24.54^{* * *}$ | $18.36{ }^{* *}$ | $14.71^{* * *}$ |
| L Minus M | 7.83 | $32.29^{* * *}$ | $26.76{ }^{* * *}$ | 11.02** | 7.48* | 7.52** |
| L Minus S | -0.97 | $62.12^{* *}$ | $53.84{ }^{* *}$ | $35.56{ }^{* * *}$ | $25.84{ }^{* *}$ | $22.23^{* * *}$ |
| Panel C: Speed of Response to Extreme Negative Returns |  |  |  |  |  |  |
| S | $37.28^{* * *}$ |  |  |  |  |  |
| M | $39.36{ }^{* * *}$ |  |  |  |  |  |
| L | $57.17^{* * *}$ |  |  |  |  |  |
| M Minus S | 2.08 |  |  |  |  |  |
| L Minus M | $17.82^{* * *}$ |  |  |  |  |  |
| L Minus S | $19.90{ }^{* *}$ |  |  |  |  |  |

Table 8: Key Behaviors by Company Industry
Based on the $\hat{\beta}_{g, c}^{(L)}$ estimates obtained from regressions (5), this table compares the key behaviors across firm industries. Each panel reports the value of our behavior proxy per industry, defined in (6), relative to the average value of all other ten industries. ${ }^{* * *},{ }^{* *},{ }^{*}$ indicate that the null hypothesis that the evaluated quantity equals zero is rejected at the $1 \%, 5 \%$, and $10 \%$ levels.

| Panel A: Strength of Response to Extreme Returns |  |  |  |  |  |  |  |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | Time-Lag $L$ |  |  |  |  |  |  |

Panel B: Asymmetry of Response to Extreme Returns
Time-Lag $L$

|  | 0 | 1 | 2 | 3 | 4 | 5 |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: |
|  | 0 | 16.18 | $27.5^{* * *}$ | $27.00^{* * *}$ | 6.68 | 9.63 |
| Energy | 14.14 | 9.95 | 5.90 | 1.74 | 8.21 | 6.90 |
| Materials | -8.43 | -4.41 | 6.53 | -2.64 | $13.68^{* * *}$ | 5.07 |
| Industrials | 4.39 | $38.46^{* * *}$ | $23.83^{* * *}$ | $11.78^{* *}$ | $11.86^{* *}$ | $14.95^{* * *}$ |
| Consumer Discretionary | $22.10^{*}$ | $21.14^{*}$ | 4.03 | 9.21 | -3.78 | 11.48 |
| Consumer Staples | $-68.18^{* * *}$ | $-44.87^{* * *}$ | $-25.84^{* * *}$ | $-28.11^{* * *}$ | $-19.24^{* * *}$ | $-17.25^{* * *}$ |
| Health Care | $34.11^{* * *}$ | 4.32 | $9.84^{*}$ | 6.77 | -1.72 | -1.10 |
| Financials | $-56.25^{* * *}$ | $-23.69^{* * *}$ | -8.17 | -7.79 | $-11.61^{* *}$ | $-9.38^{* *}$ |
| Information Technology | -12.76 | -8.92 | -10.18 | -6.93 | -1.28 |  |
| Communication Services | $-26.58^{* *}$ | -13 | 2.34 | 2.17 | 2.93 | $-14.41^{*}$ |
| Utilities | 13.68 | 10.05 | $-36.55^{* *}$ | 10.39 | -3.04 | 9.39 |
| Real Estate | $54.84^{* *}$ | -25.68 | -39 |  |  |  |

Panel C: Speed of Response to Extreme Negative Returns

| Energy | $25.64^{* * *}$ |
| :--- | :---: |
| Materials | 0.72 |
| Industrials | $-11.46^{*}$ |
| Consumer Discretionary | $12.36^{*}$ |
| Consumer Staples | -0.85 |
| Health Care | 2.64 |
| Financials | -2.25 |
| Information Technology | -5.12 |
| Communication Services | -1.29 |
| Utilities | -0.45 |
| Real Estate | -19.91 |

Figure 1: Reaction of RH Investors to Intraday Hourly and Overnight Price Movements
This figure displays the $\hat{\beta}_{g}^{(L)}$ estimates obtained from regressions (4). The six regressions are based on the complete sample of stock and day-time observations and are estimated by pooled OLS. Estimates are expressed in basis points. The top plot presents the results as a function of returns group level $\mathcal{G}_{g}$ while the bottom plot presents the results as a function of the time-lag $L$.

(a) By Return Group Level

(b) By Time-Lag

Figure 2: Reaction of RH Investors to Price Movements at Daily Frequency
This figure displays the $\hat{\beta}_{g}^{(L)}$ estimates obtained from daily-frequency regressions equivalent to high-frequency regressions presented in (4). The six regressions are based on the complete sample of stock-day observations and are estimated by pooled OLS. Estimates are expressed in basis points. The top plot presents the results as a function of returns group level $\mathcal{G}_{g}$ while the bottom plot presents the results as a function of the daily-lag $L$.

(a) By Return Group Level

(b) By Daily-Lag

Figure 3: Key Behaviors by Type of Returns - Overnight vs. Intraday Hourly This figure displays the $\hat{\beta}_{g, c}^{(L)}$ estimates obtained from regressions (5) using subgroups of either overnight or intraday hourly returns. The six regressions are estimated by pooled OLS. Estimates are expressed in basis points.

(a) Overnight Returns

(b) Intraday Hourly Returns

Figure 4: Key Behaviors Pre- and Post-COVID-19 Pandemic Announcement This figure displays the $\hat{\beta}_{g, c}^{(L)}$ estimates obtained from regressions (5) using two subgroups: the pre- and post-COVID-19 pandemic announcement periods, where the date of the announcement is March 11, 2020. The six regressions are estimated by pooled OLS. Estimates are expressed in basis points.

(b) Post-COVID-19-Announcement Period

Figure 5: Key Behaviors by Company Size
This figure displays the $\hat{\beta}_{g, c}^{(L)}$ estimates obtained from regressions (5) using three subgroups based on company market capitalization. The six regressions are estimated by pooled OLS. Estimates are expressed in basis points.

(a) Small-Cap Stocks

(b) Mid-Cap Stocks

(c) Large-Cap Stocks

Figure 6: Key Behaviors by Industry
This figure shows our proxies representing each behavior for a given industry. The proxies have been computed according to definitions (6), using the $\hat{\beta}_{g, c}^{(L)}$ estimates of regressions (5) using eleven subgroups based on the sector as per the GICS classification. The six regressions are estimated by pooled OLS. Estimates are expressed in basis points.

(a) Strength of Response to Extreme Returns

(b) Asymmetry of Response to Extreme Returns

(c) Speed of Response to Extreme Negative Returns

## - Online Appendix -

## Examining High-Frequency Patterns in Robinhood Users' Trading Behavior

This online appendix is divided into three sections. Section I describes the steps to construct our dataset. Section II presents the results at the daily level. Section III presents details on the various robustness tests described in Section 5 of the paper.

## I. Dataset Construction

This section details the construction and cleaning procedures employed for our two primary datasets: the Robintrack observations and the high-frequency volatility-adjusted stock returns.

## I.A. Robinhood Observations (variables $N_{i, t_{i, k}}$ and $\Delta N_{i, t_{i, k}}$ )

- Timezone. All original timestamps (UTC) are converted to New York Time (UTC4).
- Period start. The original dataset starts on May 5, 2018 and ends on August 13, 2020. We follow Welch (2022) and remove the first month. Our sample begins on June 1, 2018.
- Timestamp's delay. The original timestamp provided by Robintrack indicates when data were retrieved from the Robinhood platform. However, as mentioned in Barber et al. (2022) and confirmed by our discussions with the administrator of Robintrack, Casey Primovic, there is a delay of approximately 45 minutes between the actual observation time and retrieval time. Therefore, to work with observation time, we subtract 45 minutes from all timestamps. ${ }^{1}$
- Keep only common stocks (CRSP share codes of 10 or 11).
- Dual-class securities. Up to an update fixing the issue on January 16, 2020, Robinhood's API did not differentiate between stocks with multiple classes. For example, Lennar Corporation classes A and B were both identified as LEN while they should be identified as LEN.A and LEN.B. Because of this anomaly, the number of RH users for one class is mixed with the number of RH users for the other class, leading to false results when computing the change in RH users. For another discussion of this issue, see Welch (2022). The stocks impacted by this problem were identified and removed from our sample.

[^12]- Dealing with multiple observations within or around an hour. In a few instances, Robintrack data series include more than one observation for the same stock within the same hour. These multiple observations might be duplicates (e.g., 1,500 RH users hold stock $i$ at $9.43 \mathrm{am}, 1,500 \mathrm{RH}$ users hold stock $i$ at 9.44 am ), or different (e.g., 630 RH users hold stock $i$ at $2.40 \mathrm{pm}, 631 \mathrm{RH}$ users hold stock $i$ at 2.41 pm ). We tackle the issue by retaining only one observation per hour - the last one - for each date-stock pair. In addition, if two consecutive observations for a given stock are very close to an hour sharp (e.g., the closest observation to 12 pm is 11.59 am and the closest observation to 1 pm is 12.01 pm ) we remove the last one.
- Keep observations within regular trading hours. Robintrack provides observations that are approximately one-hour spaced and cover the full day (i.e., 24 hours). However, to be consistent with our goal to evaluate RH trading decisions in response to intraday and overnight price movements, we only focus on the changes in RH users that occur within market-opening hours (i.e., hourly changes between 9.30 am and 4 pm ) and overnight (i.e., the change between the last observation of the day before 4 pm and the first observation of the next day after 9.30 am ).
- Ensure completeness of the series at the intraday level. We retain stock-day pairs with at least six data points (combining overnight and intraday observations) available for a given day. In other words, we ensure that, for a given stock-day, there exists one intraday observation for each hour when the market is open (summing up to five or six observations), and one overnight observation. Because we retain at least six observations and keep one observation per hour, it might happen that the time length between two consecutive intraday observations deviates from one hour. In the most extreme case, the series of observations could be $9.45 \mathrm{am}, 10.45$ am, $11.45 \mathrm{am}, 1.45 \mathrm{pm}, 2.45 \mathrm{pm}, 3.45 \mathrm{pm}$. These cases are marginal and represent only $0.13 \%$ of the total number of observations of our final sample. In addition, this potential issue is mitigated by the fact that we scale all $\Delta N_{i, t_{i, k}}$ and $r_{i, t_{i, k}}$ to exactly one hour.
- Ensure continuity in the series at the daily level. We examine whether a given stock' series contains breaks (i.e., missing days). As mentioned in Welch (2022), "the RT script failed to run on August 9, 2018, on January 24-29, 2019 (4 days), and January 7-15, 2020 (7 days)." This means that all stocks have a (non-fixable) break of 7 trading days. Hence, we check for stocks containing break(s) of more than seven trading days and remove them.
- Remove stocks series with no variations and treat other anomalies. We identify stocks for which $N_{i, t_{i, k}}$ is constant for the whole period and exclude them from our sample. In a few cases, the $N_{i, t_{i, k}}$ series drop abnormally to zero after a corporate event (e.g., a company name change, split, etc.). We treat these cases manually by truncating the period length accordingly or excluding the stock from our sample.
I.B. High-Frequency Returns (variables $P_{i, t_{i, k}}, R_{i, t_{i, k}}$, and $r_{i, t_{i, k}}$ )
- Adjust prices for splits. Some securities had split(s) during our sample period. We identify such events to ensure consistency for computing returns and adjust the historical price series accordingly.
- Estimation of the daily volatility of overnight returns. We attempt to estimate a GJR-GARCH $(1,1)$ model for each stock series using demeaned returns and normally distributed residuals. In a few cases where the algorithm could not converge, we estimate a standard $\operatorname{GARCH}(1,1)$ model instead. We remove the security from our sample if the algorithm does not converge. We require that the stock series contains at least 240 observations for a consistent estimation. We remove all securities that do not satisfy this condition.


## I.C. Filters Applied to the Initial Dataset

Table A1 reports the number of observations and unique securities left after each filtering step, starting from the initial Robintrack dataset and ending with the final sample used in the paper. ${ }^{2}$

[^13]> [Insert Table A1 about here.]

## II. Daily Frequency Analysis

We define the daily-frequency variables similarly to the high-frequency variables introduced in Section 2.2. Utilizing the same panel employed for the high-frequency analyses, we isolate the last available observation before 4 pm (the "close" observation) and construct daily ("close-to-close") series of RH users' net position openings. Formally, we define:

$$
\begin{equation*}
\Delta N_{i, d}=\log \left(\frac{N_{i, d}}{N_{i, d-1}}\right), \tag{A.1}
\end{equation*}
$$

where $N_{i, d}$ is the last observation of day $d$ before 4.00 pm for each stock $i$. Similarly, we define daily volatility-adjusted returns as

$$
\begin{equation*}
r_{i, d}=R_{i, d} / \hat{\sigma}_{i, d}^{G J R}, \tag{A.2}
\end{equation*}
$$

where $R_{i, d}=\log \left(\frac{P_{i, d}}{P_{i, d-1}}\right)$ is the series of daily ("close-to-close") log-returns of stock $i$ and $\hat{\sigma}_{i, d}^{G J R}$ is a GJR-GARCH $(1,1)$ daily volatility estimator computed on this series of daily returns.

The summary statistics in Table A2 highlight that the distributions of the daily measures exhibit thinner tails compared to the distributions of the high-frequency measures. For the standardized returns, this implies a greater dispersion in overnight and hourly intraday price movements, indicating the presence of price reversals within a 24 -hour period. Regarding the RH user measure, it suggests that daily, the behavior of RH investors tends to be more balanced between opening new positions and liquidating existing positions in a given stock. Throughout the 24-hour period, the number of RH traders purchasing new stocks tends to be offset by the number of RH traders liquidating their positions in the same stock. However, on a higher-frequency basis - during overnight periods or one-hour periods within regular trading hours- RH investors tend to act more in concert; that is, most of them are either opening new positions or liquidating existing ones. This observation indicates the significance of RH investors' activity within the day
and reinforces the importance of studying their behavior in a high-frequency setting.

## [Insert Table A2 and Table A3 about here.]

We now turn to estimate regressions analogous to (4) in the paper, where all highfrequency variables are replaced by their daily-frequency equivalent:

$$
\begin{equation*}
\Delta N_{i, d}=\sum_{g=1}^{6} \beta_{g}^{(L)} I_{\mathcal{G}_{g}}\left(r_{i, d-L}\right)+\operatorname{CTRL}_{i, d}^{(L)}+\epsilon_{i, d}^{(L)} \tag{A.3}
\end{equation*}
$$

Lag $L$ now designs a "daily-lag" instead of a "time-lag." The categorical variables $I_{\mathcal{G}_{g}}\left(r_{i, d-L}\right)$ are constructed using the same percentile ranges as for the high-frequency analysis (see Table A3). Estimation results are reported in Table 4 and Figure 2 in the main paper.

## III. Robustness Analyses

## III.A. Fixed Effects

In this section, we analyze the robustness of our results to the inclusion of firm and date-time fixed effects. Specifically, we estimate

$$
\begin{equation*}
\Delta N_{i, t_{i, k}}=\sum_{g=1}^{5} \beta_{g}^{(L)} I_{\mathcal{G}_{g}}\left(r_{i, t_{i, k-L}}\right)+\operatorname{CTRL}_{i, t_{i, k}}^{(L)}+\lambda_{i}+\gamma_{t_{i, k}}+\epsilon_{i, t_{i, k}}^{(L)}, \tag{A.4}
\end{equation*}
$$

where $\lambda_{i}$ and $\gamma_{t_{i, k}}$ account for firm and date-time fixed effects, respectively. Table A4 and Figure A1 report the estimation results. Note that, to avoid collinearity issues, we use only five out of the six original return level groups. Specifically, we omit the group $[25 \%-0[$. Therefore, the results are all relative to this group. Since we are mostly interested in the reaction of RH investors to extreme returns relative to more moderate returns, the interpretation of our results does not change fundamentally. A simple way to interpret the coefficients would be to add the estimates of the omitted group reported in Table 3 to the estimates in Table A4. For example, the reaction of RH investors to extreme negative returns after one hour, i.e. the estimate for $L=1$ and $<5 \%$, would be $83.72+24.68=108.40$, which is very close to the one reported in our main results
(100.41). Overall, these results show that our main conclusions remain qualitatively and quantitatively unchanged.

> [Insert Table A4 and Figure A1 about here.]

## III.B. Detrended Version of $\Delta N_{i, t_{i, k}}$

We first estimate the trend in each $\log \left(N_{i, t_{i, k}}\right)$ series by OLS $\left(\log \left(N_{i, t_{i, k}}\right)=\alpha+\beta t_{i, k}+\right.$ $\left.\epsilon_{t_{i, k}}\right)$. Then, we construct detrended series as $N_{i, t_{i, k}}^{*}=\log \left(N_{i, t_{i, k}}\right)-\widehat{\log \left(N_{i, t_{i, k}}\right)}$ and use this version to compute the change following our method presented in the main text:

$$
\Delta N_{i, t_{i, k}}^{*}= \begin{cases}\left(N_{i, t_{i, k}}^{*}-N_{i, t_{i, k-1}}^{*}\right) \times S F_{I N T} & \text { for an intraday change }  \tag{A.5}\\ \left(N_{i, t_{i, k}}^{*}-N_{i, t_{i, k-1}}^{*}\right) \times S F_{O V} & \text { for an overnight change } .\end{cases}
$$

Descriptive statistics are presented in Table A5. Main empirical results are reported in Table A6 and Figure A2.
[Insert Tables A5 and A6 and Figure A2 about here.]

## III.C. Alternative Timestamps' Delays Regarding the Original Robintrack Observations

We replicate our main results (Table 3 and Figure 1) using alternative timestamps' delays of 30 and 60 minutes, respectively.

Due to the implementation of our various data adjustment filters discussed in Section I, the samples assuming $30-\mathrm{min}$ and $60-\mathrm{min}$ delays differ slightly from our main sample. For instance, assuming a 30-minute delay could result in certain observations falling outside regular trading hours, such as those with an original timestamp of 4.35 pm . In rare cases, securities not included in our main sample might be present in the $30-\mathrm{min}$ or $60-\mathrm{min}$ samples, and vice-versa. To ensure consistency, we enforce that the 30 -min and 60 -min samples only include securities that are part of the main sample. The 30-min (60-min) sample contains more than $95 \%$ ( $98 \%$ ) of the main sample securities.

Results for the $30-\mathrm{min}$ delay are reported in Table A7 and Figure A3 and results for the $60-\mathrm{min}$ delay are reported in Table A8 and Figure A4.
[Insert Tables A7 and A8 and Figures A3 and A4 about here.]
III.D. Main Results Using Alternative Definitions of Extreme Returns

In this section, we analyze the robustness of our results to alternative definition of extreme returns. Specifically, we estimate

$$
\begin{equation*}
\Delta N_{i, t_{i, k}}=\sum_{g=1}^{5} \beta_{g}^{(L)} I_{\mathcal{G}_{g}}\left(R_{i, t_{i, k-L}}\right)+\operatorname{CTRL}_{i, t_{i, k}}^{(L)}+\epsilon_{i, t_{i, k}}^{(L)} \tag{A.6}
\end{equation*}
$$

where $R_{i, t_{i, k-L}}$, defined in section 2 of our paper, accounts for raw returns non-standardized by volatility, and

$$
\begin{equation*}
\Delta N_{i, t_{i, k}}=\sum_{g=1}^{5} \beta_{g}^{(L)} I_{\mathcal{G}_{g}}\left(\operatorname{ExRet}_{i, t_{i, k-L}}\right)+\operatorname{CTRL}_{i, t_{i, k}}^{(L)}+\epsilon_{i, t_{i, k}}^{(L)} \tag{A.7}
\end{equation*}
$$

where ExRet $_{i, t_{i, k}}=R_{i, t_{i, k}}-R_{t_{i, k}}^{M K T}$ accounts for raw returns non-standardized by volatility in excess of market returns. Note that, in specification (A.6), the controls are identical as in our main specification excepted for $r_{i, t_{i, k-L}}$ replaced by $R_{i, t_{i, k-L}}$, while in specification (A.7), the controls include only stock $i$ 's contemporaneous and lagged (up to five) excess returns and their squares except the excess return corresponding to the time-lag of interest, that is, $E x \operatorname{Ret}_{i, t_{i, k-j}}$ and $\operatorname{ExRet}_{i, t_{i, k-j}}^{2}(j=0,1, \ldots, 5 ; j \neq L)$. Results for these regressions are reported in Table A9 and Figure A5, and Table A10 and Figure A6, respectively.
[Insert Table A9 and Figure A5 and Table A10 and Figure A6 about here.]

## Table A1: Filters Applied to the Initial Dataset

\#Obs reports the number of stock-day-time observations. \#Stocks reports the number of unique securities.

| Filtering Step | \#Obs | \#Stocks |  |
| :--- | :--- | ---: | ---: |
| 1 | Robintrack (RT) original dataset | $143,337,516$ | 8,597 |
| 2 | Drop the first month (May 2018) | $139,578,005$ | 8,597 |
| 3 | Apply timestamps adjustment (-45min) and keep observations | $38,161,939$ | 8,597 |
|  | within regular trading hours |  |  |
| 4 | Match RT tickers with TAQ and CRSP | $24,475,538$ | 8,115 |
| 5 | Keep common stocks (share codes 10 or 11) | $11,771,843$ | 3,842 |
| 6 | Remove dual-class stocks | $11,710,325$ | 3,830 |
| 7 | Adjust for multiple observations within or around an hour | $11,195,363$ | 3,830 |
| 8 | Ensure completeness of the series at the intraday level | $10,871,402$ | 3,828 |
| 9 | Ensure continuity in the series at the daily level | $10,659,165$ | 3,755 |
| 10 | Match RT observations with transaction prices and apply | $8,045,109$ | 2,899 |
|  | again filters 8 and 9 |  |  |
| 11 | Compute daily realized volatility and GJR-GARCH estimators | $7,801,554$ | 2,594 |
| 12 | Remove stocks with no variations in the $N_{i, t_{i, k}}$ series and | $7,788,538$ | 2,583 |
|  | treat other anomalies |  |  |

Table A2: Summary Statistics of Main Variables - Daily Frequency
Summary statistics as in Table 1, using daily-frequency observations.

|  | Av | Std | 5th | 25th | 50th | 75 th | 95th | Nobs | $T$ | $\#$ |
| :--- | ---: | ---: | ---: | ---: | ---: | ---: | ---: | ---: | ---: | :---: |
| $\Delta N_{i, d}$ | 29.34 | 254.51 | -232.57 | -51.10 | 0.00 | 62.70 | 350.91 | $1,201,860$ | 526 | 2,583 |
| $r_{i, d}$ | -0.00 | 1.06 | -1.59 | -0.52 | 0.00 | 0.54 | 1.52 | $1,201,860$ | 526 | 2,583 |

Table A3: Classification of Standardized Returns - Daily Frequency
Classification of standardized returns as in Table 2, using daily-frequency observations.

|  | $\mathcal{G}_{1}$ | $\mathcal{G}_{2}$ | $\mathcal{G}_{3}$ | $\mathcal{G}_{4}$ | $\mathcal{G}_{5}$ | $\mathcal{G}_{6}$ |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: |
| PRCT | $<5 \%$ | $[5 \%-25 \%[$ | $[25 \%-0[$ | $[0-75 \%[$ | $[75 \%-95 \%[$ | $\geq 95 \%$ |
| $r_{i, d}$ | $<-1.59$ | $[-1.59,-0.52[$ | $[-0.52,0.00[$ | $[0.00,0.54[$ | $[0.54,1.52[$ | $\geq 1.52$ |
| Nobs | 60,093 | 240,372 | 286,721 | 3142,09 | 240,372 | 60,093 |

Table A4: Reaction of RH Investors to Price Movements - With Fixed Effects Estimation results as in Table 3 with fixed effects. We removed the group [25\%-0[ to perform the fixed-effect estimation. Estimates are expressed in basis points. Associated t-statistics computed with robust double-clustered standard errors are shown in parenthesis.

|  | Time-Lag $L$ |  |  |  |  |  |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: |
|  | 0 | 1 | 2 | 3 | 4 | 5 |
| $<5 \%$ | 11.65 | 83.72 | 62.68 | 48.9 | 38.39 | 28.81 |
| $[5 \%-25 \%[$ | $(5.12)$ | $(30.61)$ | $(28.09)$ | $(25.52)$ | $(21.47)$ | $(17.27)$ |
|  | 2.09 | 22.44 | 16.40 | 13.31 | 9.68 | 6.60 |
| $[0-75 \%[$ | -4.05 | $(23.73)$ | $(19.51)$ | $(16.74)$ | $(12.99)$ | $(8.72)$ |
|  | $(-6.21)$ | $(0.10$ | -3.03 | -1.05 | -0.19 | 0.51 |
| $[75 \%-95 \%[$ | -3.20 | 3.53 | $(-4.28)$ | $(-1.52)$ | $(-0.29)$ | $(0.79)$ |
|  | $(-2.99)$ | $(2.73)$ | $(1.12)$ | $(3.78)$ | $(6.48)$ | $(7.02)$ |
| $\geq 95 \%$ | 3.93 | 21.27 | 19.09 | 18.10 | 18.31 | 21.73 |
|  | $(1.49)$ | $(7.67)$ | $(8.60)$ | $(9.55)$ | $(10.6)$ | $(13.93)$ |
| Adj. $R^{2}$ | 0.001 | 0.001 | 0.001 | 0.001 | 0.001 | 0.001 |
| Nobs | $7,773,040$ | $7,773,040$ | $7,773,040$ | $7,773,040$ | $7,773,040$ | $7,773,040$ |

Table A5: Summary Statistics of Net Position Openings - Detrended Variable Summary statistics as in Table 1 computed on the $\Delta N_{i, t_{i, k}}^{*}$ series.

|  | Av | Std | 5th | 25th | 50th | 75 th | 95th | Nobs | $T$ | $\#$ |
| :--- | ---: | ---: | :---: | ---: | ---: | ---: | :---: | :---: | :---: | :---: |
| Intraday | -14.20 | $1,468.37$ | -762.17 | -139.21 | -50.25 | 0.08 | 725.42 | $6,584,095$ | 527 | 2,583 |
| Overnight | 32.21 | 554.46 | -265.45 | -48.10 | -6.66 | 48.34 | 369.94 | $1,201,860$ | 526 | 2,583 |
| All | -7.03 | $1,367.85$ | -689.15 | -122.63 | -43.01 | 10.36 | 661.39 | $7,785,955$ | 527 | 2,583 |

Table A6: Reaction of RH Investors to Intraday Hourly and Overnight Price Movements - Detrended Variable
Estimation results as in Table 3 where the detrended version $\Delta N_{i, t_{i, k}}^{*}$ replaces $\Delta N_{i, t_{i, k}}$ as the dependent variable.

|  | Time-Lag $L$ |  |  |  |  |  |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: |
|  | 0 | 1 | 2 | 3 | 4 | 5 |
| $<5 \%$ | -7.91 | 108.87 | 73.96 | 51.67 | 39.03 | 36.98 |
| $[5 \%-25 \%[$ | $(-2.76)$ | $(27.71)$ | $(23.57)$ | $(19.77)$ | $(17.51)$ | $(16.33)$ |
| $[25 \%-0[$ | $(-6.75)$ | $(1.14$ | 2.13 | 1.36 | $(1.61)$ | $(1.04)$ |
|  | -2.50 | -21.86 | -14.02 | -12.38 | -13.64 | $(-1.13$ |
| $0-75 \%[$ | $(-2.08)$ | $(-17.02)$ | $(-10.93)$ | $(-9.12)$ | $(-10.49)$ | $(-10.44$ |
|  | -12.82 | -22.06 | -18.70 | -16.43 | -15.70 | -15.37 |
| $[75 \%-95 \%[$ | $-10.11)$ | $(-17.62)$ | $(-14.91)$ | $(-12.85)$ | $(-11.85)$ | $(-12.05)$ |
|  | $--4.31)$ | -9.84 | -10.02 | -8.08 | -3.85 | -3.59 |
| $\geq 95 \%$ | 33.37 | 67.43 | $(-6.57)$ | $(-5.89)$ | $(-2.82)$ | $(-2.64)$ |
|  | $(7.44)$ | $(13.49)$ | $(9.04)$ | 15.14 | 15.83 | 25.81 |
| Adj. $R^{2}$ | 0.001 | 0.001 | 0.001 | 0.001 | $(6.35)$ | $(10.92)$ |
| Nobs | $7,773,040$ | $7,773,040$ | $7,773,040$ | $7,773,040$ | $7,773,040$ | $7,773,040$ |

Table A7: Reaction of RH Investors to Intraday Hourly and Overnight Price Movements - 30-Min Delay
Regression results as in Table 3, assuming 30-min timestamps' delays.

|  | Time-Lag $L$ |  |  |  |  |  |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: |
|  | 0 | 1 | 2 | 3 | 4 | 5 |
| $<5 \%$ | 31.42 | 90.80 | 85.19 | 73.84 | 63.63 | 50.18 |
| $[5 \%-25 \%[$ | $28.47)$ | $(50.20)$ | $(53.42)$ | $(51.06)$ | $(47.07)$ | $(38.63)$ |
|  | $(29.32)$ | 40.68 | $39.49)$ | $(42.91$ | 36.75 | 33.55 |
| 31.27 |  |  |  |  |  |  |
| $[25 \%-0[$ | 31.42 | 22.94 | 24.16 | 24.82 | $(37.39)$ | $(35.11)$ |
|  | $(37.77)$ | $(25.67)$ | $(27.61)$ | $(28.8)$ | $(28.52$ | 25.79 |
| $[0-75 \%[$ | 26.39 | 21.90 | 20.38 | 21.68 | 23.43 | $(30.17)$ |
|  | $(33.77)$ | $(26.90)$ | $(24.46)$ | $(25.91)$ | $(28.29)$ | $(29.77)$ |
| $[75 \%-95 \%[$ | 28.80 | 23.26 | 24.88 | 26.74 | 29.40 | 30.00 |
|  | $(31.21)$ | $(24.28)$ | $(27.69)$ | $(30.66)$ | $(33.41)$ | $(34.29)$ |
| $\geq 95 \%$ | 33.13 | 33.89 | 40.09 | 42.16 | 42.67 | 48.48 |
|  | $(19.32)$ | $(17.62)$ | $(25.05)$ | $(29.31)$ | $(30.79)$ | $(36.27)$ |
| Adj. $R^{2}$ | 0.001 | 0.001 | 0.001 | 0.001 | 0.001 | 0.001 |
| Nobs | $7,010,056$ | $7,010,056$ | $7,010,056$ | $7,010,056$ | $7,010,056$ | $7,010,056$ |

Table A8: Reaction of RH Investors to Intraday Hourly and Overnight Price Movements - 60-Min Delay
Regression results as in Table 3, assuming 60-min timestamps' delays.

|  | Time-Lag $L$ |  |  |  |  |  |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: |
|  | 0 | 1 | 2 | 3 | 4 | 5 |
| $<5 \%$ | 53.69 | 98.15 | 84.46 | 75.25 | 67.91 | 63.40 |
|  | $(29.11)$ | $(60.56)$ | $(57.61)$ | $(54.97)$ | $(52.06)$ | $(51.00)$ |
| $[5 \%-25 \%[$ | 41.30 | 46.18 | 44.63 | 40.59 | 38.93 | 35.90 |
|  | $(40.83)$ | $(48.76)$ | $(50.19)$ | $(45.77)$ | $(45.92)$ | $(42.92)$ |
| $[25 \%-0[$ | 35.53 | 28.24 | 28.95 | 30.13 | 28.96 | 29.69 |
|  | $(44.51)$ | $(33.27)$ | $(34.62)$ | $(36.59)$ | $(35.50)$ | $(35.81)$ |
| $[0-75 \%[$ | 28.31 | 23.21 | 24.08 | 25.54 | 26.63 | 27.70 |
|  | $(37.73)$ | $(28.44)$ | $(29.86)$ | $(31.55)$ | $(32.9)$ | $(33.90)$ |
| $[75 \%-95 \%[$ | 26.64 | 27.70 | 29.27 | 30.53 | 32.91 | 33.74 |
|  | $(27.96)$ | $(29.84)$ | $(33.22)$ | $(35.02)$ | $(37.42)$ | $(38.86)$ |
| $\geq 95 \%$ | 22.74 | 38.73 | 41.11 | 42.59 | 44.53 | 49.13 |
|  | $(11.22)$ | $(23.21)$ | $(27.62)$ | $(31.45)$ | $(34.81)$ | $(37.41)$ |
| Adj. $R^{2}$ | 0.001 | 0.002 | 0.002 | 0.002 | 0.002 | 0.002 |
| Nobs | $8,412,773$ | $8,412,773$ | $8,412,773$ | $8,412,773$ | $8,412,773$ | $8,412,773$ |

Table A9: Reaction of RH Investors to Intraday Hourly and Overnight Price Movements - Using Raw Returns
Regression results as in Table 3, assuming raw returns non-standardized by volatility.

|  | Time-Lag $L$ |  |  |  |  |  |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: |
|  | 0 | 1 | 2 | 3 | 4 | 5 |
| $<5 \%$ | 75.52 | 125.61 | 108.10 | 90.67 | 73.35 | 62.24 |
|  | $(16.76)$ | $(28.26)$ | $(24.55)$ | $(21.02)$ | $(17.13)$ | $(14.47)$ |
| $[5 \%-25 \%[$ | 19.12 | 28.69 | 27.31 | 24.42 | 22.21 | 20.76 |
|  | $(14.74)$ | $(21.83)$ | $(20.60)$ | $(17.82)$ | $(16.16)$ | $(14.71)$ |
| $[25 \%-0[$ | 15.48 | 6.12 | 9.84 | 11.78 | 12.82 | 14.79 |
|  | $(21.13)$ | $(7.06)$ | $(11.85)$ | $(14.21)$ | $(15.70)$ | $(18.00)$ |
| $[0-75 \%[$ | 11.72 | 6.02 | 8.00 | 10.70 | 12.42 | 14.03 |
|  | $(14.75)$ | $(6.82)$ | $(8.70)$ | $(11.34)$ | $(12.97)$ | $(14.35)$ |
| $[75 \%-95 \%[$ | 17.27 | 15.43 | 15.22 | 17.44 | 19.30 | 19.78 |
|  | $(14.24)$ | $(12.58)$ | $(11.91)$ | $(13.32)$ | $(14.59)$ | $(14.71)$ |
| $\geq 95 \%$ | 98.30 | 93.85 | 79.72 | 70.26 | 69.01 | 61.84 |
|  | $(20.85)$ | $(20.39)$ | $(17.11)$ | $(15.29)$ | $(15.30)$ | $(14.20)$ |
| Adj. $R^{2}$ | 0.007 | 0.009 | 0.009 | 0.009 | 0.008 | 0.008 |
| Nobs | $7,773,040$ | $7,773,040$ | $7,773,040$ | $7,773,040$ | $7,773,040$ | $7,773,040$ |

Table A10: Reaction of RH Investors to Intraday Hourly and Overnight Price Movements - Using Raw Returns in Excess of Market Returns
Regression results as in Table 3, assuming raw returns in excess of market returns.

|  | Time-Lag $L$ |  |  |  |  |  |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: |
|  | 0 | 1 | 2 | 3 | 4 | 5 |
| $<5 \%$ | 85.72 | 133.35 | 111.93 | 91.75 | 75.9 | 62.39 |
|  | $(19.19)$ | $(30.18)$ | $(26.18)$ | $(21.89)$ | $(18.43)$ | $(15.15)$ |
| $[5 \%-25 \%[$ | 22.94 | 32.55 | 29.68 | 26.52 | 24.45 | 22.62 |
|  | $(18.39)$ | $(25.51)$ | $(23.13)$ | $(20.3)$ | $(18.79)$ | $(16.86)$ |
| $[25 \%-0[$ | 13.69 | 6.84 | 10.53 | 12.44 | 13.9 | 15.66 |
|  | $(19.13)$ | $(8.14)$ | $(12.83)$ | $(15.13)$ | $(16.86)$ | $(18.93)$ |
| $[0-75 \%[$ | 11.99 | 4.69 | 7.3 | 10.68 | 12.49 | 14.54 |
|  | $(17.56)$ | $(5.82)$ | $(8.9)$ | $(13)$ | $(15.29)$ | $(17.47)$ |
| $[75 \%-95 \%[$ | 15.39 | 13.15 | 14.43 | 16.78 | 18.65 | 19.64 |
|  | $(13.24)$ | $(11.15)$ | $(11.67)$ | $(13.31)$ | $(14.49)$ | $(15.07)$ |
| $\geq 95 \%$ | 96.22 | 93.07 | 79.3 | 70.32 | 65.17 | 58.55 |
|  | $(21.17)$ | $(20.99)$ | $(17.6)$ | $(15.65)$ | $(14.75)$ | $(13.75)$ |
| Adj. $R^{2}$ | 0.007 | 0.009 | 0.009 | 0.008 | 0.008 | 0.008 |
| Nobs | $7,773,040$ | $7,773,040$ | $7,773,040$ | $7,773,040$ | $7,773,040$ | $7,773,040$ |

Figure A1: Reaction of RH Investors to Intraday Hourly and Overnight Price Movements - With Fixed Effects
Representation of regression results as in Figure 1 with firm and date-time fixed effects. We removed the group $[25 \%-0$ [ to perform the fixed-effect estimation.

(a) By Return Group Level

(b) By Time-Lag

Figure A2: Reaction of RH Investors to Intraday Hourly and Overnight Price Movements - Detrended Variable
Representation of regression results as in Figure 1, where the detrended version $\Delta N_{i, t_{i, k}}^{*}$ replaces $\Delta N_{i, t_{i, k}}$ as the dependent variable.

(a) By Return Group Level

(b) By Time-Lag

Figure A3: Reaction of RH Investors to Intraday Hourly and Overnight Price Movements - 30-Min Delay
Representation of regression results as in Figure 1, assuming 30-min timestamps' delays.

(a) By Return Group Level

(b) By Time-Lag

Figure A4: Reaction of RH Investors to Intraday Hourly and Overnight Price Movements - 60-Min Delay
Representation of regression results as in Figure 1, assuming 60-min timestamps' delays.

(a) By Return Group Level

(b) By Time-Lag

Figure A5: Reaction of RH Investors to Intraday Hourly and Overnight Price Movements - Using Raw Returns
Representation of regression results as in Figure 1, assuming raw returns $R_{i, t_{i, k}}$.

(a) By Return Group Level

(b) By Time-Lag

Figure A6: Reaction of RH Investors to Intraday Hourly and Overnight Price Movements - Using Raw Returns in Excess of Market Returns
Representation of regression results as in Figure 1, assuming raw returns in excess of market returns ExRet $_{i, t_{i, k}}$.

(a) By Return Group Level

(b) By Time-Lag


[^0]:    *We are grateful to the Swiss National Science Foundation (grant \#179281), the Natural Sciences and Engineering Research Council of Canada (grant RGPIN-2022-03767), the Group for Research in Decision Analysis (GERAD), and the Chaire Fintech AMF-Finance Montréal for their financial support.

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[^1]:    ${ }^{1}$ See The Economist, "Just how mighty are active retail traders?," August 21, 2021, for a discussion about the rise of individual investors in the United States, while the profile of RH investors is discussed in Jones et al. (2021), Van der Beck and Jaunin (2021), Barber et al. (2022), Eaton et al. (2022), and Welch (2022), for instance. The average age of RH investors is 31 , and $50 \%$ are first-time investors. The average account size is $\$ 4,000$ compared to $\$ 127,000$ or $\$ 234,000$ for E-Trade and Charles Schwab, respectively.
    ${ }^{2}$ Other studies investigate ESG preferences of RH users (Moss et al., 2023), effects of COVID-19 on RH activity (Ozik et al., 2021), sentiment-driven investing (Ben-David et al., 2022), or exploit RH platform outages to measure RH investors' market impact (Jones et al., 2021; Eaton et al., 2022; Friedman and Zeng, 2022).

[^2]:    ${ }^{3}$ We focus on the reaction of RH investors to price movements for two reasons. First, this allows us to directly compare our results to those in Barber et al. (2022), Welch (2022), and Fedyk (2022). Second, these young and inexperienced investors pay attention to the simplest of market events, that is, returns (e.g., Seasholes and Wu, 2007; Barber and Odean, 2008; Yuan, 2015).
    ${ }^{4}$ With this framework, we focus on RH users' decision-making process to buy or sell stocks. We do not attempt to evaluate performance or asset pricing implications such as Hvidkjaer (2008), Kaniel et al. (2008), Barber et al. (2009), Gargano and Rossi (2018), or Coval et al. (2021), for instance.

[^3]:    ${ }^{5}$ Barber et al. (2022, Section D.1) analyze the relation between the change in the number of RH investors holding a stock and the rank of this stock in top gainers (stocks with the highest positive returns) and top losers (stocks with the lowest negative returns). They "exclude the user change at the open on Robinhood to make the Robinhood user change more comparable with TAQ net retail buying" and then analyze the daily (open-to-close) reaction of RH investors to overnight (close-to-open) or daily (close-to-close) returns.

[^4]:    ${ }^{6}$ This delay is due to the frequency at which Robinhood updated user count information and made it available to retrieve from its API. Our best guess is that Robinhood had periodic jobs running that aggregated the total user holding counts every $x$ minutes, with $x$ representing the frequency at which these jobs ran. According to our discussion with Casey Primovic, $x$ is likely between 30 and 60 minutes. As robustness tests, we consider alternative delays of 30 and 60 minutes. Our conclusions remain valid under these assumptions. For more details, see the online appendix.

[^5]:    ${ }^{7}$ To minimize the effect of micro-structure issues on our extraction of transaction prices from TAQ, we apply filters following Barndorff-Nielsen et al. (2009). In particular, we retain transactions originating from NYSE, NASDAQ, and AMEX only.
    ${ }^{8}$ This adjustment is necessary to avoid errors arising from division by zero or the application of

[^6]:    ${ }^{9}$ Note that approximately $85 \%(15 \%)$ of the total number of observations correspond to intraday (overnight) changes or returns, as a given stock generally counts one overnight and six hourly-spaced intraday observations per day.

[^7]:    ${ }^{10}$ These six separate specifications should not be viewed as independent but rather like a system since we include stock-specific returns at different lags except the one in question as control variables in each of the six specifications.

[^8]:    ${ }^{11}$ To see this, suppose that short selling by Robinhood investors is allowed and their total buying and selling demands for a given stock, which is the sum of the selling demand by Robinhood investors who own the stock and short selling demand by those who do not own the stock, are the same following extreme positive and negative returns. If we take into account their short-selling demand, we should not observe any asymmetry in their overall reaction to extreme negative and positive news. In such a scenario, the observed asymmetry would be a result of the short-selling constraint if and only if the shortselling demand is higher than the selling demand following extreme negative returns, and the opposite holds true following extreme positive news with very similar magnitudes.

[^9]:    ${ }^{12}$ Because comparing behaviors $\# 3$ involves estimates from different regressions, we perform the Wald tests using a variance-covariance matrix that assumes zero-covariances between the estimates from different regressions.
    ${ }^{13}$ See, for instance, CNBC Markets, "Young investors pile into stocks, seeing 'generational-buying moment' instead of risk," May 12, 2020 or "A large chunk of the retail investing crowd started during the pandemic, Schwab survey shows," April 8, 2021.

[^10]:    ${ }^{14}$ We calculate market capitalization using share prices and the number of shares outstanding from CRSP. The Financial Industry Regulatory Authority (FINRA) provides size thresholds that are used to divide the universe of stocks into five categories, including micro-cap and mega-cap. In our analysis, we classify micro-cap as small-cap and mega-cap as large-cap. Due to data unavailability for eight stocks, our sample size for this analysis is slightly reduced compared to the original sample.

[^11]:    ${ }^{15}$ Due to data unavailability for 82 stocks, our sample size for this analysis is slightly reduced compared to the original sample.

[^12]:    ${ }^{1}$ Description of the problem in Barber et al. (2022): "The Robintrack data are generally reported every hour at approximately 45 minutes after the hour. The data from Robinhood has some lag. Thus, the user count at 3:46 on Robintrack for Apple is from sometime before 3:46. Based on some analysis of open data, the likely lag is between 30 and 45 minutes."

[^13]:    ${ }^{2}$ A discrepancy of 2,583 exists between the final number of observations reported in Table A1 and the number of observations reported in Table 1. These 2,583 entries represent missing values corresponding to the first observation of each stock series in our sample, for which $\Delta N_{i, t_{i, k}}$ cannot be computed.

